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# Anisotropy-induced directional self-transportation of low surface tension liquids: a review

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Inspired by natural surfaces such as butterfly wings, cactus leaves, or the *Nepenthes alata* plant, synthetic materials may be engineered to directionally transport liquids on their surface without external energy input. This advantageous feature has been adopted for various mechanical and chemical processes, e.g. fog harvesting, lubrication, lossless chemical reactions, etc. Many studies have focused on the manipulation and transport of water or aqueous droplets, but significantly fewer have extended their work to low surface tension (LST) liquids, although these fluids are involved in numerous industrial and everyday processes. LST liquids completely wet most surfaces which makes spontaneous transportation an active challenge. This review focuses on recently developed strategies for passively and directionally transporting LST liquids.

## 1 Introduction

The ability to directionally transport liquid droplets has naturally developed in several instances. For example, desert beetles, spider silk, and cactus stems are all capable of collecting water from humid air.<sup>1–7</sup> Due to recent advances in micro/

nanofabrication methods, scientists have developed bio-inspired surface structures that also achieve directional liquid transportation. These surfaces have shown promise in various fields, such as micro-fluidics, oil–water separation, thin-film lubrication, and heat management.<sup>8–15</sup> The transportation of water droplets on these engineered surfaces is well studied, both experimentally and theoretically.<sup>16–22</sup> Considerably fewer studies have demonstrated directional transportation of Low Surface Tension (LST) liquids. Here we review surfaces that

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utilize physical texture gradients to uniquely enable the directional transportation of LST liquids.

A droplet deposited on a solid surface creates a solid/liquid/vapor contact line as a result of an equilibrium between interfacial tensions. In the absence of any anisotropy, the droplet will move/expand equally in all directions in response to external pressure. Wetting is caused by a capillary force, which scales with the product of surface tension and a characteristic length. Accordingly, wetting may be manipulated by a gradient in either the surface tension or the characteristic physical length. A surface tension gradient may be induced by intrinsic surface chemistry variation<sup>23–27</sup> or by external stimuli such as an electric field, light, temperature, vibration, or a magnetic field.<sup>28–35</sup> In comparison, engineered surfaces exhibiting anisotropic surface texture are beneficial for power-free, spontaneous liquid transportation.

As LST liquids generally spread on most surface chemistries, rather than forming droplets, achieving a chemical wettability gradient for the wetting driving force is difficult. However, droplet formation (non-zero contact angles) can occur in the case of underwater deposition, on very low surface energy materials, and on specially engineered rough surfaces. Therefore, this review mainly discusses surfaces with textural anisotropy, although the limited studies utilizing a chemical gradient are also discussed.

## 2 Theoretical analysis

### 2.1 Smooth surfaces

When a liquid droplet is deposited on a chemically homogeneous and smooth surface, the equilibrium balance in the interfacial plane at a point along the contact line is,

$$\gamma_{SV} - \gamma_{SL} - \gamma_{LV} \cos \theta_E = 0 \quad (1)$$

where  $\theta_E$  is the equilibrium contact angle and  $\gamma$  is the surface energy, where the subscripts S, L, and V denote the solid, liquid, and vapor phases, respectively. When the droplet is in motion, the dynamic contact angle,  $\theta_D$ , may be defined at the liquid wedge (Fig. 1) which arises from the force balance,

$$F(\theta_D) = \gamma_{SV} - \gamma_{SL} - \gamma_{LV} \cos \theta_D \quad (2)$$

Here  $F(\theta_D)$  is the driving force acting on the moving droplet.

### 2.2 Imperfect surfaces

Fabricating surfaces that solely exhibit  $\theta_E$  is extremely challenging. For real engineering surfaces, a range of droplet

contact angles may be observed. The equilibrium contact angle will fall in-between the receding,  $\theta_R$ , and advancing,  $\theta_A$ , contact angles. The difference between these angles is termed contact angle hysteresis, which arises from surface roughness, chemical heterogeneities, surface deformation, liquid adsorption and retention, molecular rearrangement on wetting, and/or vapor undersaturation (such as in the typical case of droplets in air).<sup>36</sup> Associated with the work necessary to wet the surface, the barrier of contact angle hysteresis against droplet motion is expressed as,  $F_H = \gamma_{LV}w(\cos \theta_R - \cos \theta_A)$ , where  $w$  is the droplet base width in the direction perpendicular to motion.<sup>37</sup> Depending on the surface chemistry and roughness, droplets may move by sliding, rolling, or a combination of these mechanisms.<sup>38</sup> In every case, the driving force must overcome the contact angle hysteresis for droplet motion to occur.

For a moving droplet, energy may be dissipated either in the immediate vicinity of the triple contact line (microscale) or within the bulk liquid volume as viscous flow (macroscale). In general, both contribute to resisting droplet motion but depending on the characteristics of the solid/liquid interface, one term may be dominant.

The relation between droplet velocity and the force experienced may be obtained by integrating the viscous stresses along the droplet interface.<sup>39</sup> Assuming the small angle case where the lubrication approximation remains valid, *i.e.*  $\tan \theta \approx \theta$ , Fig. 2 shows the velocity distribution,  $v(z)$ , at the wedge border of a spreading liquid which is set to 0 near the solid surface and  $1.5V$  at  $z = \theta x$ . Here,  $V$  is the velocity averaged over the thickness of the wedge,  $x$  is distance from three-phase contact line, and  $\theta x$  is the local thickness of the liquid. Note that the upper surface has higher velocity than the moving contact line. As demonstrated in experimental studies,<sup>40</sup> a marked point at the upper



Fig. 2 The velocity distribution of a spreading droplet in the immediate vicinity of the triple contact line. Here the lubrication approximation is assumed, *i.e.*  $\tan \theta \approx \theta$ .

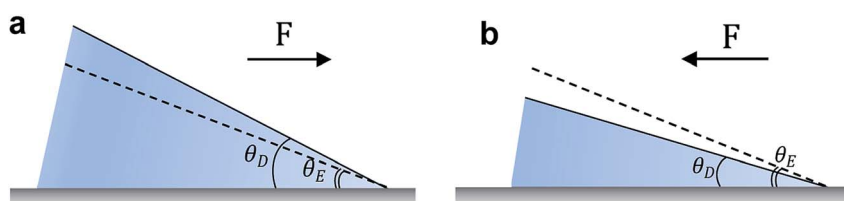


Fig. 1 Droplets in motion under non-equilibrium conditions. (a)  $F > 0$ , (b)  $F < 0$ .



surface moves faster than the contact line, quite similar to the motion of treads on a tank. The velocity gradient is given by,

$$\frac{dv(z)}{dz} = \frac{V}{\theta x} \quad (3)$$

With fluid viscosity denoted by  $\eta$ , the energy dissipated by viscous effects is generally expressed (per unit length of the contact line and over the liquid thickness of  $Z = \theta x$ ),

$$E_{\text{dissipation}} = \int_0^\infty dx \int_0^Z \eta \left( \frac{dv}{dz} \right)^2 dz \quad (4)$$

Substituting (3) into (4) and truncating the upper and lower limits of the integral as  $x = L$  (the droplet size) and  $x = a$  (the molecular size), respectively, yields,<sup>39</sup>

$$E_{\text{dissipation}} = \frac{3\eta V^2 l}{\theta} \quad (5)$$

where  $l$  is a logarithmic factor that compares  $L$  and  $a$ . By equating  $E_{\text{dissipation}} = FV$ , the force is then related to the velocity as,

$$V = F \frac{\theta}{3\eta l} \quad (6)$$

The first experimental data produced by Hoffman<sup>41</sup> showed that the dimensionless coefficient  $l$  is of the order  $\sim 15$  on a dry surface, but is reduced to  $\sim 5$  if the surface is prewetted by the liquid.

According to eqn (6), if the viscous dissipation is dominant, the droplet velocity follows  $V \sim F\theta/\eta l$ . In contrast, when dissipation mostly occurs along the contact line,  $\theta$  is given by Tanner's Law  $\theta \sim (l\eta V/\gamma)^{1/3}$  (ref. 42) and subsequently,

$$V \sim \frac{F^{3/2}}{\eta l \gamma_{LV}^{1/2}} \quad (7)$$

The total resistance to droplet motion is the sum of contact line and viscous dissipation, but the extent to which each contributes may be found using the above velocity–force relations, eqn (6) and (7). Note that the resistance due to viscous forces is negligible at the onset of the motion ( $V \approx 0$ ).

Considering the above mechanics, two strategies have been developed for transporting LST liquid droplets which we designate as spread and slip. The difference between these strategies can be explained by the dynamics of the contact line during transportation. During spreading the contact line advances along the surface while the wetted surface underneath the droplet remains wet. In contrast, slip is characterized by receding of the contact line at the trailing end of the droplet.

### 3 Spread

In this section, we review the different approaches that enable the guided transportation of LST liquids through spreading in a preferential direction. As LST liquids usually recede at low

contact angles on smooth surfaces, increased roughness leads to even lower receding contact angles according to the Wenzel model,<sup>43</sup> making slip difficult. For example, if a LST liquid droplet exhibits an equilibrium contact angle of  $\theta_E = 30^\circ$  on a smooth surface, the droplet will not recede if the surface area is increased by only 15.5%. Hence, the majority of studies investigating LST liquids transport rely on the spread-mode of transportation.

#### 3.1 Planar, curvature-driven spreading

A curved liquid interface experiences a pressure difference known as the Laplace pressure, which is defined as  $\Delta p = \gamma_{LV}(1/r_1 + 1/r_2)$ , where  $r_1$  and  $r_2$  are the principal radii of curvature of the interface. This pressure decreases with the radius of curvature which can cause droplets to deform or wet additional surface area to alleviate the pressure. Numerous studies have exploited a Laplace pressure difference as the driving force for directional LST liquid transportation. The general strategy has been to create surfaces with a pattern exhibiting extreme wettability contrast, such that the liquid is confined in the more wettable channels surrounded by a repellent background. The challenge with LST liquids is to obtain this background, as LST liquids are naturally wetting to all surface chemistries. An underwater wettability contrast is one way to achieve such a contrast.

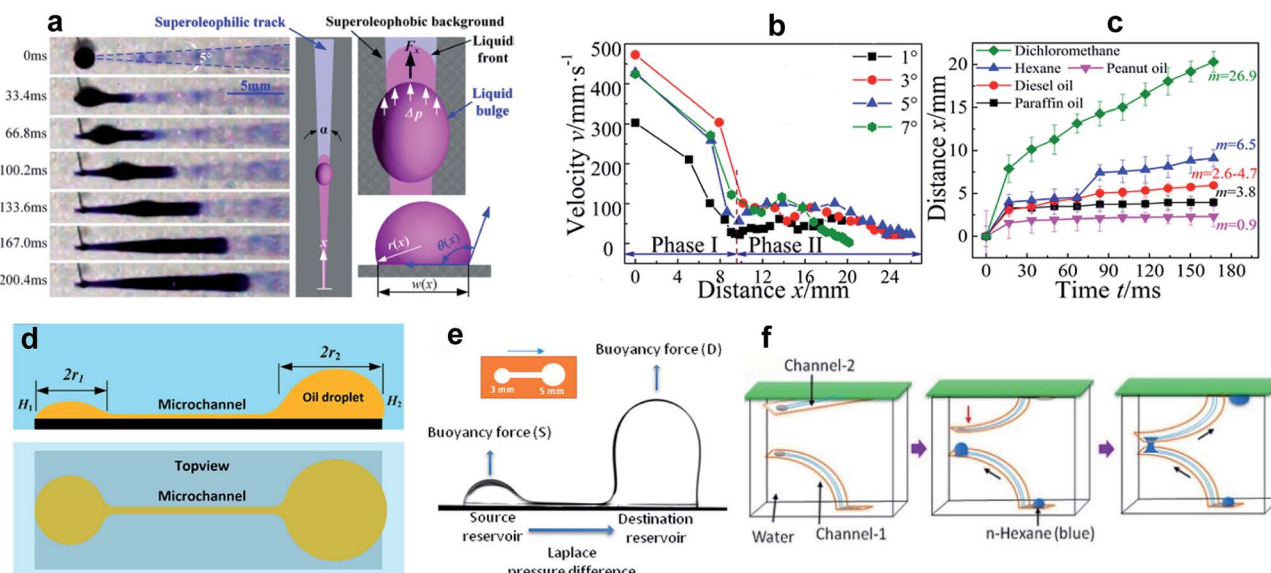
Wettability underwater can be significantly different than in air. When a superhydrophobic surface (contact angle with water greater than  $150^\circ$  and low hysteresis) with superhydrophilic (complete spread of water) pattern is immersed in water, water spreads and fills only the superhydrophilic pattern. After underwater deposition of a LST liquid droplet, the air trapped within the superhydrophobic pores is replaced by the LST liquid, *i.e.* underwater oleophilicity (having a strong affinity for oils). On the other hand, the trapped water in the hydrophilic regions prevents the penetration of the LST liquid, *i.e.* extreme underwater oleophobicity (repellent to oils). The modified contact angle for this new composition of solid/water/oil interface can be described as,<sup>44</sup>

$$\cos \theta_{ow} = \frac{\gamma_{og} \cos \theta_{og} - \gamma_{wg} \cos \theta_{wg}}{\gamma_{ow}} \quad (8)$$

where  $\theta_{ow}$  is the contact angle of oil on a surface underwater, and  $\gamma_{og}$ ,  $\gamma_{wg}$ ,  $\gamma_{ow}$  are the surface tension of the oil/gas, water/gas, and oil/water interfaces, respectively.

Using a wedge-shaped wettability pattern, Huang *et al.*<sup>45</sup> studied the underwater transportation of LST liquids. Aluminum substrates were chemically etched, followed by stearic acid modification. Masked cold plasma treatment was used to create the wettable patterns. As shown in Fig. 3a, after the deposition of a dichloromethane droplet, its motion was characterized by either a fast-moving front edge or a slow-moving bulge. On the pressurized oleophilic channel, the front edge was driven by surface tension and hemiwicking, whereas the trailing bulge was driven by the Laplace pressure difference generated by the track geometry. As the liquid advanced along the channel, the bulge merged with the film ahead until the





**Fig. 3** (a) Snapshots of dichloromethane transportation on a horizontal wedge-shaped pattern underwater. (b) The velocity vs. distance along the channel. Phase I and Phase II represent the channel width narrower and wider than the capillary length, respectively. (c) The travel distance with time at a wedge angle of  $4^\circ$  for liquids with different surface tension/viscosity. Reprinted with permission from ref. 45. Copyright (2016) American Chemical Society. (d) Schematic of oil transportation subjected to a Laplace pressure difference between two wetted dots connected through a channel. Reprinted with permission from ref. 48. Copyright (2018) American Chemical Society. (e) The dynamics of *n*-hexane underwater transportation between two reservoirs considering buoyancy and Laplace pressure difference. (f) Schematic of the 3D designed pathway for oil transportation between two flexible channels. Reprinted with permission from ref. 49. Copyright (2020) American Chemical Society.

Laplace pressure difference was insufficient to induce motion. The net Laplace pressure difference in the liquid bulge can be estimated by,<sup>46</sup>

$$\Delta p \sim \frac{\gamma_{ow}}{r(x)} \approx 4\gamma_{ow} \frac{[\sin \theta(x)]}{a + 2x \tan \frac{\alpha}{2}} \quad (9)$$

where  $r(x) = w(x)/2 \sin \theta(x)$  is the local curvature of the liquid along the channel direction  $x$ ,  $w(x)$  is the local channel width where  $w(0) = a$ , and  $\alpha$  is the wedge angle. Due to the complex variation of  $\theta(x)$  along the channel, the authors used an experimental method to obtain the theoretical relation for liquid travel distance, velocity, and acceleration. Analogous to the Washburn equation,<sup>47</sup> the following was proposed as the relation between time  $t$ , wedge angle, and travel distance,

$$x(\alpha, t) = \sqrt{\gamma_{LV} D / 4\eta \alpha^{a_1} t^{a_2}} \quad (10)$$

where  $a_1$ ,  $a_2$ , and  $D$  are constants. The authors found the following empirical constants using the experimental results with dichloromethane as the operative liquid,

$$x(\alpha, t) = 1.556\alpha^{0.171} t^{0.430} \quad (11)$$

For wedge angles of  $\alpha = 1^\circ, 3^\circ, 5^\circ$ , and  $7^\circ$ , the above equation was consistent with the Washburn relation.

It was observed that the moving liquid experienced two phases of transportation velocity, which were related to the capillary length,  $k^{-1} = (\gamma/\rho g)^{1/2}$ , where  $\rho$  and  $g$  are the liquid density and gravitational acceleration, respectively. For a channel width smaller than the capillary length, the velocity was larger in comparison to channels wider than  $k^{-1}$  (phases I

and II of Fig. 3b). To investigate the effect of surface tension  $\gamma$  and viscosity  $\eta$  on droplet transportation, the experiment was repeated using a variety of LST liquids including paraffin oil, hexane, peanut oil, dichloromethane, and diesel oil (surface tensions in the range of 18–35.5 mN m<sup>-1</sup>). According to the results (Fig. 3c), higher values of  $m = (\gamma/\eta)^{1/2}$  corresponded to a larger liquid travel distance.

Yang *et al.*<sup>48</sup> used an alternate fabrication method to perform a more quantitative study on the subject. They used the ink-masked oxidation of copper foils to pattern two smooth dot reservoirs connected by a smooth channel. When dichloromethane droplets were deposited underwater on the smooth reservoir, the triple contact line was confined to the boundary of the reservoir until it reached the advancing contact angle of the outer oleophobic (contact angle  $\sim 125^\circ$  with oil) substrate. As the diameter of the reservoirs were different, the Laplace pressure gradient drove the droplet with a higher radius of curvature along the channel until the two reservoirs were in dynamic equilibrium (Fig. 3d). This pressure-induced driving force can be described as,<sup>48</sup>

$$\Delta p = 2\gamma_{ow} C = \frac{4H\gamma_{ow}}{r^2 + H^2} \quad (12)$$

where  $C$  is the droplet curvature,  $H$  is the height of the underwater droplet, and  $r$  is the radius of the reservoir. Different channel dimensions and two different liquids were investigated. The dimensions of the channel played a critical role in transportation dynamics. The resistance of the open connecting channel may be approximated as,  $R_c = 3\eta L/w h^3$ , where  $L$  is the length of the channel,  $w$  is the width, and  $h$  is the liquid level height.<sup>50</sup> For instance, the flow rate of hexadecane on



a  $L = 3$  mm channel matched the flow rate of dichloromethane on a  $L = 12$  mm channel (hexadecane is 8.5 times more viscous than dichloromethane).

A broad range of LST liquids are less dense than water, so underwater transportation of these liquids can be challenging due to buoyancy. In a recent study, Upadhyay *et al.*<sup>49</sup> used a vapor-based etching method to create a similar dots-channel pattern on a copper surface. Underwater, certain volumes of *n*-hexane were repeatedly injected into the source reservoir, and the droplet transport to the destination reservoir was governed by the Laplace pressure difference between the two reservoirs (Fig. 3e). After reaching a critical volume, the droplet split from the destination reservoir due to buoyancy. The changes in volume and contact angle at the reservoirs were measured to quantify the effect of buoyancy on the transportation dynamics. The increase in the volume of the destination droplet led to an increase in the buoyancy force, which in turn enhanced the flow from the source to the reservoir.

The use of copper tape rather than a rigid substrate made it possible to fabricate flexible patterned surfaces, which potentially enables new applications for 3D liquid transportation. As an example, the authors used two arc-shaped channels (see Fig. 3f) where the source and destination reservoir of channel-1 faced the destination and source reservoir of channel-2. Driven by buoyancy and the pressure difference, a droplet injected on the channel-1 source reservoir moved to the destination reservoir. The droplet then touched the source reservoir of channel-2, which similarly directed the liquid to the destination reservoir. More complex designs can be envisaged to transport LST liquid droplets along a pre-determined path underwater.

### 3.2 Conical structures

Conical structures have also shown the capability to directionally transport liquids.<sup>51–56</sup> As shown in Fig. 4a, the increasing radius along the axis serves as the gradient in the characteristic length of these structures. The difference in the radii of curvature generates a Laplace pressure difference. Hence, a droplet deposited on a conical structure tends to move away from the tip to the regions of lower curvature. The pressure gradient along the axis is given by,<sup>57</sup>

$$\frac{dP}{dz}\bigg|_{\Omega} = -\frac{2\gamma}{(r+h)^2} \frac{dr}{dz} + \frac{dh}{dz}\bigg|_{\Omega} \quad (13)$$

where  $\Omega$  is the droplet volume,  $r$  is the local mean radius of the cone and  $h$  is the maximal thickness of the droplet.

Spontaneous droplet motion on a conical fiber was studied by Quere *et al.*<sup>57</sup> They deposited various droplet volumes ( $0.2$ – $1$  mm<sup>3</sup>) of silicone oil with a viscosity range of  $5$ – $100$  mPa s on a conical copper fiber. The fibers were pretreated to prevent a change in droplet volume. The measured velocity was shown to decrease at larger radii and increase with droplet volume (Fig. 4b). The authors derived the following scaling law to predict the velocity of a moving droplet on a horizontal conical fiber,

$$V \sim \frac{\gamma}{\eta l} \left( \frac{h-r}{L} \right) \left( \frac{\Omega}{r^3} \right) \alpha \quad (14)$$

where  $L$  is the wetted length,  $\alpha$  is the semi-angle of the fiber, and  $l$  is the same logarithmic factor defined in eqn (5). The generated force decreases as  $r^{-2}$  and at the same time, the friction resistance increases with the radius, which explains why the transportation velocity was sharply affected by the radius of the fiber.

In a recent study, Hu *et al.*<sup>58</sup> comparatively investigated underwater directional transportation of 1,2-dichloroethane droplets on tapered structures exhibiting different surface curvatures. For dry and wet superhydrophobic conical fibers, the transport velocities of  $0.6$  mm s<sup>-1</sup> and  $5$  mm s<sup>-1</sup> were reported, respectively. In comparison to conical fibers, the developed trigonal pyramid with concave curved surfaces exhibited an alternate transport strategy and higher velocity, up to  $32.9$  mm s<sup>-1</sup>. The faster transportation was attributed to the increased length covered by the liquid and the convex shape of the advancing meniscus on the curved surfaces, which is typically concave when spreading on conical fibers.

### 3.3 Bio-mimetic wedge corner structures

The *Nepenthes alata* plant can spread water from the inner side to the outer side of its peristome. The underlying mechanism was first revealed by Chen *et al.* in 2016.<sup>59</sup> Their multiscale structure can be described as two-order hierarchical micro-grooves with distributed microcavities along the second-order grooves. The arc-shape structure of the microcavities enhances capillary rise in the direction of liquid transportation, while contact line pinning at the microcavity's sharp edge prevents spreading in the reverse direction (Fig. 5a).<sup>60–63</sup> This enhanced capillary effect can be explained by a capillary rise at the corner formed by two vertical plates making a small angle

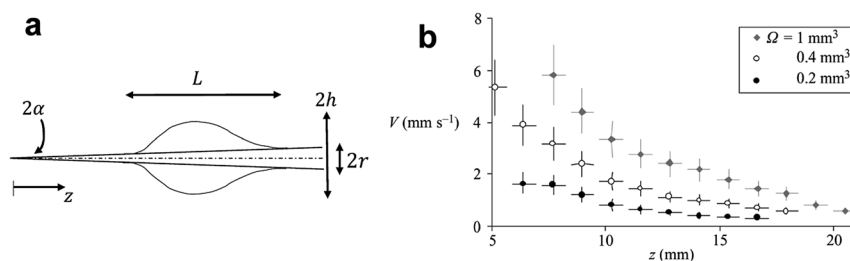


Fig. 4 (a) The shape of a droplet on a conical fiber. (b) The velocity of different volumes of silicone oil droplets ( $\eta = 5$  mPa s) along the conical fiber. Reprinted with permission from ref. 57. Copyright (2004) Cambridge University Press.



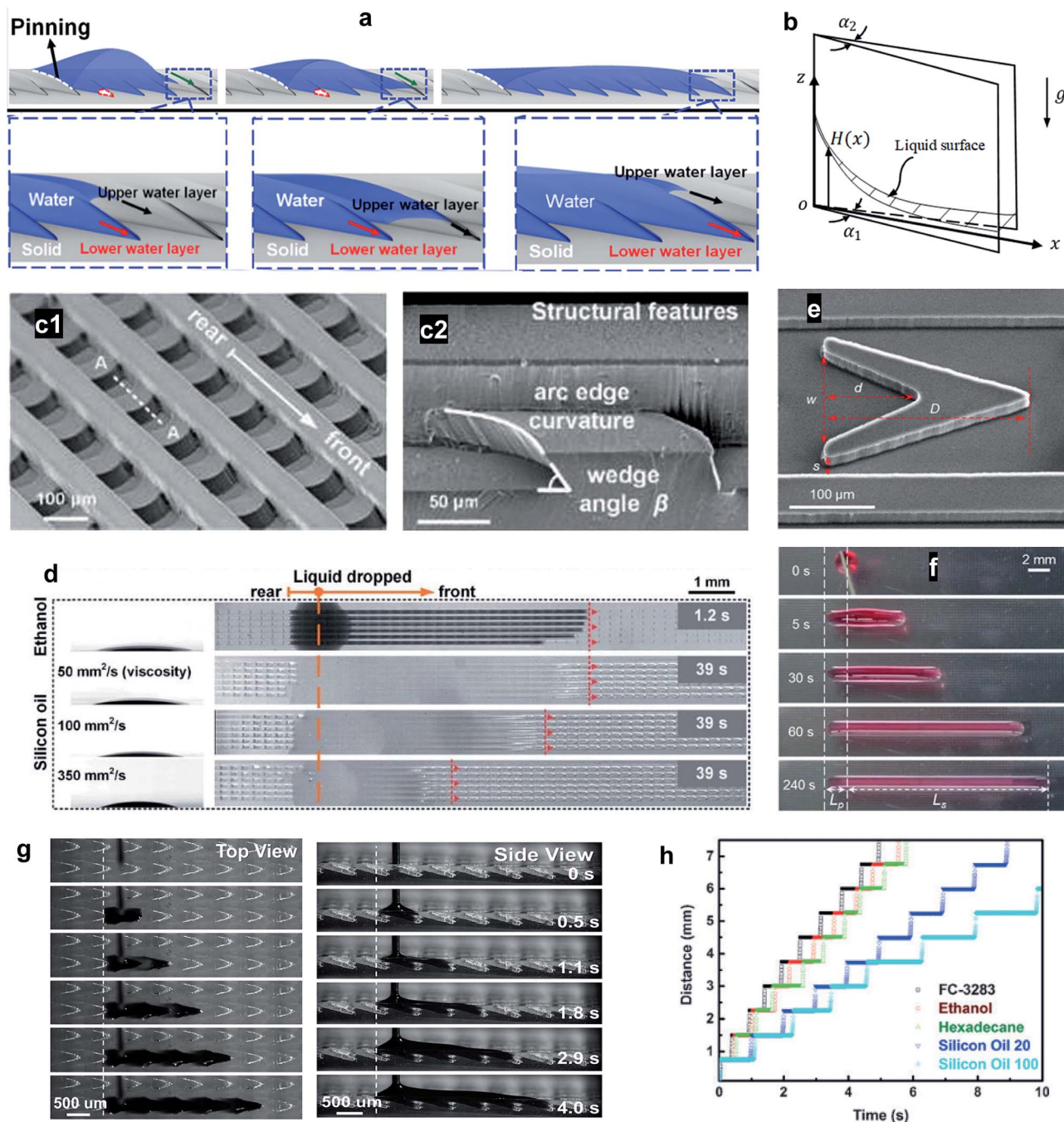


Fig. 5 (a) 3D illustration of the directional liquid transportation on the peristome of a pitcher plant. Reprinted with permission from ref. 71. Copyright (2018) American Chemical Society. (b) Capillary rise at the corner formed by two vertical plates with wedge angles of  $\alpha_1$  at the bottom and  $\alpha_2$  at the top. (c1) Structure of a bio-inspired, unidirectional liquid spreading surface and, (c2) cross section view (indicated by line A–A). (d) Unidirectional spreading of LST liquids including ethanol and silicon oil with viscosities of 50, 100, and  $350 \text{ mm}^2 \text{ s}^{-1}$ . Reprinted with permission from ref. 6. Copyright (2017) Royal Society of Chemistry. (e) SEM image of a single V-shaped post where  $s$ ,  $w$ ,  $d$ , and  $D$  indicate the inlet width of the side channel, the inlet width of the cavity, the length of the cavity, and the length of the V-shaped post, respectively. The transportation performance of the designed structure is demonstrated by (f) optical images of time-dependent unidirectional transport of a  $\sim 5 \mu\text{L}$  paraffin oil droplet. Reprinted with permission from ref. 72. Copyright (2020) American Chemical Society. (g) Unidirectional transportation of both viscous and non-viscous liquids was achieved, as shown by (h) time sequences of the directional transportation distance. The slope of the curve indicates the flow velocity which increases with increasing surface energy, decreasing liquid surface tension, and decreasing liquid viscosity. Reprinted with permission from ref. 73. Copyright (2016) WILEY-VCH Verlag GmbH & Co. KGaA, Weinheim.

(Fig. 5b). For an infinitesimal difference between bottom opening angle,  $\alpha_1$ , and top opening angle,  $\alpha_2$ , the capillary height rise  $H(x)$  may be expressed as,<sup>64,65</sup>

$$H(x) = \frac{2\gamma_{LV} \cos \theta}{\rho g x \alpha_1} + \frac{\alpha_1 - \alpha_2}{\alpha_1 h} \frac{4\gamma_{LV}^2 \cos^2 \theta}{\rho^2 g^2 x^2 \alpha_1^2} + \dots \quad (15)$$



where  $h$  is the height of the intersecting plates. The experiments confirmed that in a gradient wedge ( $\alpha_1 \neq \alpha_2$ ), the capillary rise will be higher than the case of a fixed wedge angle.<sup>59,61</sup> Experimental and numerical studies have characterized the directional transportation of these unique structures in terms of surface wettability, as well as the viscosity and surface tension of the liquid.<sup>66–70</sup> In 2017, Chen *et al.*<sup>6</sup> also fabricated bio-inspired unidirectional liquid spreading surfaces using inclined UV exposure of SU-8 photoresist. Various arc-curvatures and wedge angles were fabricated to investigate the effect of structural features on the spread mechanism (Fig. 5c). The experiments indicated that a larger arc edge curvature and smaller wedge angle ( $\beta$ ) of the microcavities leads to stronger directional liquid spreading. The fabricated surfaces were able to directionally transport LST liquids with different viscosities (ethanol and silicon oil with viscosities of 50, 100, and 350 mm<sup>2</sup> s<sup>-1</sup>). For a given volume, the maximum spread distances were similar, but the velocity decreased with the viscosity (Fig. 5d).

Engineered surfaces that resemble the structure of the peristome of pitcher plants involve a complex fabrication process. Instead, Li *et al.*<sup>72</sup> designed simple V-shaped posts aligned in parallel microchannels. The sharp edges of the V-shapes prevented backflow in the pinning direction, so the asymmetry of the V-shapes was crucial to achieving unidirectional liquid transport (Fig. 5e). The designed surface was capable of directionally spreading different lubricating oils along the surfaces such as paraffin oil, mineral oil, PAO-4, and silicone oil (Fig. 5f).

Li *et al.*<sup>73</sup> developed an artificial peristome-mimetic surface using high-resolution stereo-lithography. The surface featured arrayed microcavities along the axial direction with a typical length, width, and depth of 700  $\mu$ m, 250  $\mu$ m, and 150  $\mu$ m, respectively (Fig. 5g). A variety of liquids with different viscosity and surface tension were tested (Fig. 5h), and unidirectional transportation for liquids with surface tension as low as 9.5 mN m<sup>-1</sup> (FC-72) was achieved.

## 4 Slip

### 4.1 Re-entrant micropatterns

Dissimilar to spreading, during slip the trailing end of a LST droplet recedes from the solid surface while the front wetting line advances. As LST liquids make equilibrium contact angles less than 90° on all smooth surfaces, increasing roughness will not enhance the repellency of the surface according to the Wenzel model.<sup>43</sup> However, it has been shown that re-entrant topography is capable of pinning the liquid/air interface, which leads to a metastable Cassie–Baxter state.<sup>74,75</sup> A higher intrinsic contact angle leads to greater capillary resistance of this composite interface.

Li *et al.*<sup>76</sup> used a radial array of re-entrant structures to generate directional oil transportation. The undercut enabled the Cassie–Baxter state, and the surface was coated with a fluoropolymer to maximize the intrinsic contact angle. The radial structure caused an increase in the solid fraction in contact with the liquid towards the center, which induced an inward wettability gradient (Fig. 6a). The driving force arose from this

wettability gradient and excess free energy was released as the droplet wet the additional solid surface. Hexadecane was used as the model LST liquid to evaluate spontaneous droplet transportation. Depending on the structural parameters, three modes of droplet motion were observed: toward the center, pinned, and outward.

During pinning, the driving force was insufficient to overcome contact angle hysteresis. Backward flow was observed when the space between the stripes was higher than the critical spacing necessary to support the Cassie–Baxter state, and a wetting transition occurred, beginning from the outer areas which then pulled the droplet outward. Based on this observation and theoretical analysis, it was inferred that directional transportation could be optimized by reducing the angle between the stripes or increasing the stripe width. Through a high magnification optical microscope, it was also shown that when the droplet approached the center area, the receding contact line left liquid residue on the stripes—though invisible to the naked eye. The authors reported LST liquid velocities between 24.0–29.8 mm s<sup>-1</sup> for their fabricated surfaces exhibiting different wettability gradients, and a slight increase was reported by decreasing the liquid surface tension.

In 2019, Huang *et al.*<sup>77</sup> carried out an extended investigation on the formation mechanism of microscopic liquid residues on similar re-entrant profiles. They revealed that the liquid residue is governed by a dynamic wetting process rather than simply the contact angle hysteresis of the surface. Two different PFOS (perfluoro-octyltrichlorosilane) and PFPE (perfluorinated polyether) polymer chains were grafted on the micropatterned silicon wafer substrates. In contrast to the rigid functional groups of perfluoro-alkylsilane coatings like PFOS, PFPE polymer chains are highly flexible (Fig. 6b and c). The directional liquid transportation on uncoated, PFOS-coated, and PFPE-coated surfaces was studied using various LST liquids including oleic acid, non-volatile 1-ethyl-3-methylimidazolium ethyl sulfate (IL1), bis(hydroxyethyl)dimethylammonium-methanesulfonate (IL2), low-volatility polydimethylsiloxane (PDMS), and *n*-hexadecane. All the liquids left microscopic residues on the uncoated surface. There was also considerable mass loss of oleic acid and PDMS during transportation on the PFOS-coated surface. In contrast, the PFPE-coated surface effectively suppressed the formation of liquid residue for most of the liquids (except PDMS). The PFPE-coated surface also provided the highest transportation velocity (up to 122 mm s<sup>-1</sup>) which was attributed to its lower contact angle hysteresis and robust Cassie–Baxter state.

### 4.2 Surface tension gradient

Liquid transportation induced by anisotropy in surface tension forces is a classical wetting phenomenon, known as the Marangoni effect.<sup>79</sup> This surface tension gradient has primarily been achieved by variation in temperature or composition of the liquid at the interface,<sup>29</sup> but a chemical wettability gradient on a solid surface has also been demonstrated to induce liquid motion. Several studies have developed special coating processes to obtain this wettability gradient and have



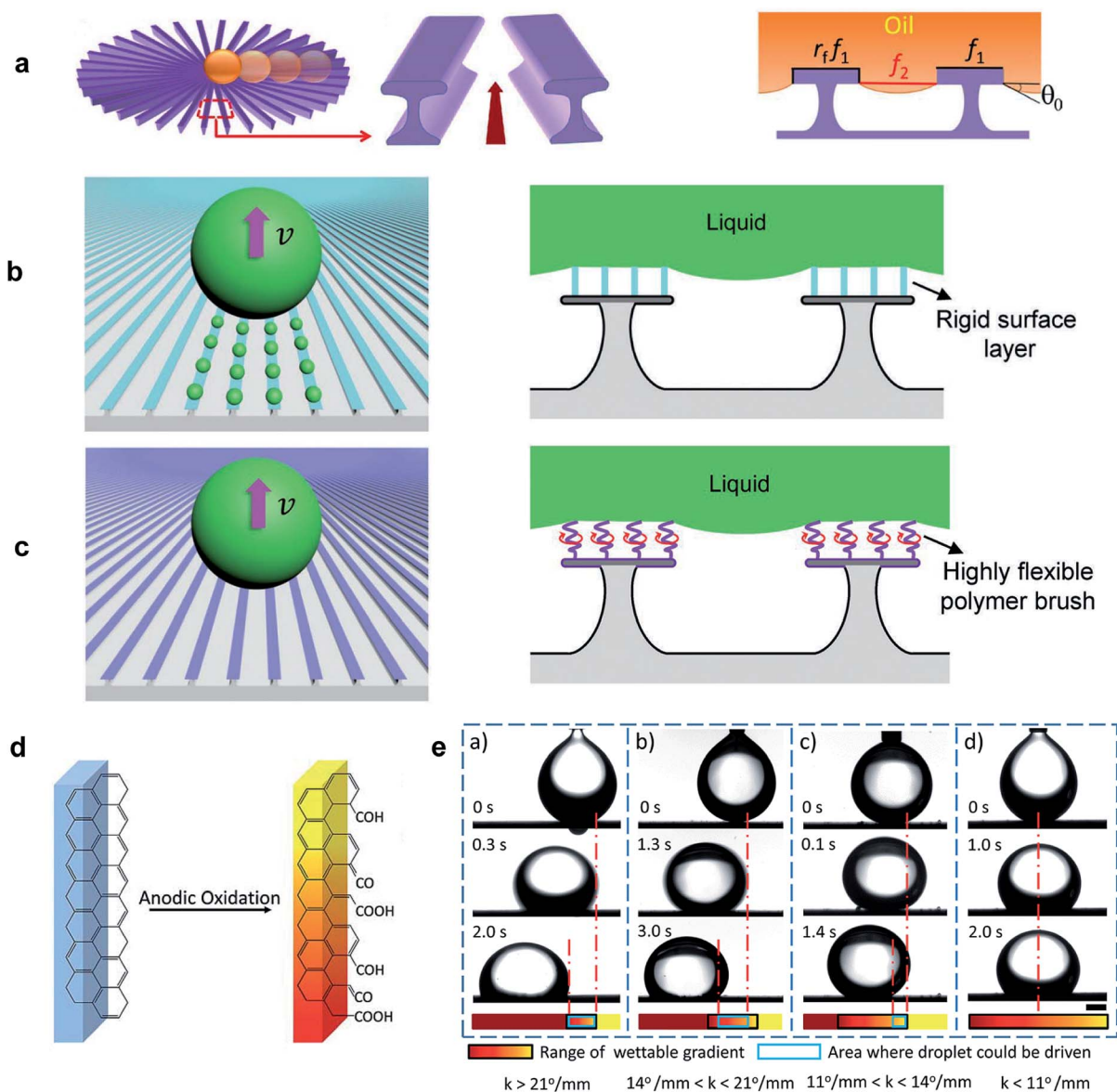


Fig. 6 (a) Schematic of the radial array of micropatterns for directional oil transportation.<sup>76</sup> (b) Microscopic liquid residue left during liquid transportation on a coating with low-flexibility chains and, (c) residue-free transportation of liquids using a liquid-like coating. Liquid-like refers to the highly flexible polymer brushes where their chain segments are mobile and free to rotate at room temperature. Reprinted with permission from ref. 77. Copyright (2019) WILEY-VCH Verlag GmbH & Co. KGaA, Weinheim. (d) Schematic of the chemical composition gradient on graphite plates under gradiented current and oxidation time treatment. (e) Travel distance of an underwater 10  $\mu\text{L}$  oil droplet (chloroform) on the horizontal graphite surfaces with different wettability gradient,  $k$ . The scale bar is 1 mm. Reprinted with permission from ref. 78. Copyright (2017) Royal Society of Chemistry.

successfully reported directional transportation of water droplets.<sup>13,52</sup> The dynamics of wetting on such surfaces is highly dependent on both the wetted area and contact angle hysteresis.<sup>53</sup> Moreover, in contrast to water droplets, LST liquids are highly wetting to most surfaces, which limits the possible range that the wettability gradient may achieve. Additionally, the higher contact area leads to higher contact line resistance due to hysteresis. Hence, very few studies have demonstrated LST liquid transportation induced by a surface energy gradient.

In a recent study, Shang *et al.*<sup>78</sup> used gradients in current and oxidation time to introduce a chemical gradient onto a graphite

plate (Fig. 6d). The surface exhibited a modest wettability gradient for water in air ( $k = 2.86^\circ \text{mm}^{-1}$ ), but higher values were measured when an oil droplet was deposited on the hydrophilic surface underwater. The authors observed a decrease in travel distance, from 1.57 mm for  $k = 26^\circ \text{mm}^{-1}$ , to zero-motion at  $k = 11^\circ \text{mm}^{-1}$  (Fig. 6e). Here, the force that drives the oil droplet towards the more wettable region can be expressed as  $F \sim \pi\gamma R(\cos \theta_B - \cos \theta_A)$ , where  $R$  is the base radius of the droplet,  $\gamma$  is the surface tension of the oil, and  $\theta_A$  and  $\theta_B$  are the contact angles at the less wettable and more wettable sides of the droplet, respectively.<sup>80</sup> In addition to the surface hysteresis





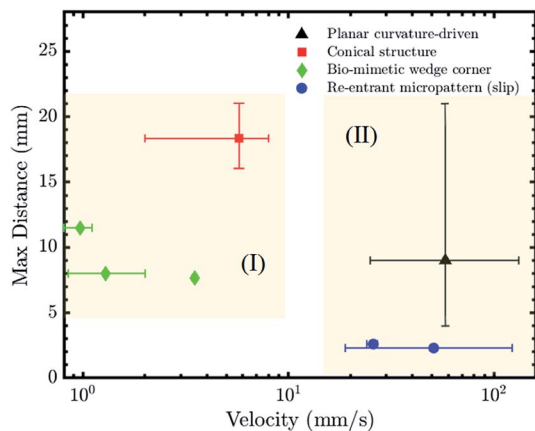


Fig. 7 The velocity and maximum travel distance for different LST liquid transportation strategies. Zone (II) indicates relatively fast droplet transportation strategies in comparison to the ones in Zone (I). Each method can be exploited based on the specific requirement of the engineering application e.g. travel distance, speed, liquid properties, durability, etc.

force, the surface's large resistance to underwater motion significantly limited the travel distance. Regardless, a gradient in surface energy has been utilized to perform a variety of tasks for LST liquid droplets, including lossless capturing, collecting, transferring, and sorting.<sup>81–84</sup>

Further, Movafaghi *et al.*<sup>85</sup> precisely tailored surface energy domains by UV irradiation of fluorinated superomniphobic surfaces (highly repellent to both water and LST liquids). This allowed them to sort droplets by controlling the mobility of droplets based on their surface tension ( $\gamma_{LV} = 28.7 \text{ mN m}^{-1}$  to  $\gamma_{LV} = 72.1 \text{ mN m}^{-1}$ ). After droplet deposition on top of the tilted

surface, each discrete perpendicular domain allowed certain high surface tension droplets to freely roll past the domain while trapping other lower surface tension droplets.

## 5 Evaluation

Different parameters may be used to evaluate the effectiveness of the above strategies for LST liquid transportation. The travel distance as a function of liquid velocity for the previously discussed strategies is plotted in Fig. 7. To the best of our knowledge, velocity and travel speed have not been investigated for surface energy gradients and LST liquids.

As discussed in the 'Theoretical Analysis' section, a pre-existing liquid film on the channel reduces the viscous effects by three times and brings the contact angle near zero as the droplet moves on the pre-wetted substrate. Hence, the curvature-driven motion of the droplet inside a wet channel exhibits relatively higher velocity. The re-entrant structures also provide a driving force for fast droplet transportation. This can be achieved by the specifically arranged micro-stripes that induce a considerable wettability gradient over a short length, in addition to the minimized solid-liquid contact area (Fig. 7, Zone (II)).

The main challenge facing the directional transportation of LST liquids using channels exhibiting a wettability contrast is creating the oleophobic background for the patterns. While hydrophilic surfaces in air may become oleophobic underwater, this limits the potential of this strategy to submerged applications. Although more challenging to fabricate, re-entrant structures have the benefit of LST liquid transport in air and exhibit relatively lossless and fast liquid transportation, at least with certain surface chemistries.



Fig. 8 (a) Snapshots of dyed water removal from a water-in-oil emulsion on the wettability contrast channel. Reprinted with permission from ref. 49. Copyright (2020) American Chemical Society. (b) One-way valve developed on a channel for microfluidic devices. Reprinted with permission from ref. 45. Copyright (2016) American Chemical Society. (c) The potential application of the developed radial re-entrant microstructures in a reaction analysis. Reprinted with permission from ref. 77. Copyright (2019) WILEY-VCH Verlag GmbH & Co. KGaA, Weinheim.



Bio-mimetic wedge-corner structures involve a complex fabrication process in comparison to the planar patterns but have shown the ability to transport LST liquids with a broad range of surface tension and viscosity, although at lower speeds (Fig. 7, Zone (I)). The designed structure allowed the liquids to move in one direction while remaining pinned in the reverse direction, and this persisted for every distributed microgroove.

The LST liquid transportation performance of the conical structures is highly dependent on the fiber radius. In terms of application, its simple 3D design can be beneficial to develop multi arrays of conical structures for a large area condenser or to improve the heat transfer efficiency of a system.

## 6 Applications

LST liquids are involved in a broad range of industrial processes, from macroscale lubrication to microscale fluidic devices.<sup>10,86–89</sup> The surfaces developed with structural asymmetry have demonstrated practical applications in high-resolution printing, bio detectors, and heat transfer.<sup>90–95</sup> In the case of an underwater composite solid/oil/water interface, using an oleophobic/philic pattern can serve as an oil–water separation device.<sup>49</sup> As shown in Fig. 8a, when an emulsion was deposited in the reservoir, the dyed water was released into the surrounding water, and the oil droplet remained pinned to the oleophilic pattern. The underwater, curvature-driven surfaces have also been used to develop a one-way valve for microfluidic devices (Fig. 8b).<sup>45</sup> Driven by the Laplace pressure gradient, a deposited oil droplet on the wettable channel can spread from the narrow end to the wider part, and the pattern resists motion in the reverse direction.

Re-entrant microstructures enable slip for the transportation for LST liquids. This lossless transportation of liquids would be of high value for microfluidic systems, bioassays, or chemical analysis. For example, high-accuracy analysis was demonstrated using a radial array of micropatterns (Fig. 8c).<sup>77</sup> The analyte droplets spontaneously moved toward the center where the two droplets merged, and a microscope above the setup was used to monitor the reaction.

## 7 Conclusion and perspectives

Bio-mimetic surfaces have been developed to enable the directional transportation of liquid droplets. However, LST liquids either partially or completely wet all surface chemistries which limits the functionality of these surfaces. In this review, the developed strategies to passively transport LST liquids are categorized in either the spread or slip mode of transportation. In the spread mode of transportation, a droplet spreads preferentially in one direction and is pinned in the reverse direction, with potential applications in self-lubrication, microfluidic devices, *etc.* The slip mode can potentially enable lossless transportation of LST liquids as the contact line recedes from the trailing end of the droplet. Droplet transportation velocity and maximum travel distance were used to compare the performance of these strategies. The wettability behavior of LST liquids brings up challenges that

limit the functionality of each method; the oleophobic background for patterned channels on smooth surfaces, the complex fabrication of wedge corner structures along with their low transportation velocities, and the limited travel distance for conical structure and re-entrant patterns. The development of a versatile method that satisfies all the requirements for LST liquids transportation remains an active challenge. However, current strategies have shown promise towards the guided transportation of LST liquids.

## Conflicts of interest

There are no conflicts to declare.

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