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# Tuning electronic properties of Ti-MoS<sub>2</sub> contact through introducing vacancy in monolayer MoS<sub>2</sub>

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**ABSTRACT:** Effect of vacancy in Monolayer MoS<sub>2</sub> on electronic properties of Ti-MoS<sub>2</sub> top contact has been investigated using first-principles calculations. Mo-vacancy is easier to form than S-vacancy in Ti-MoS<sub>2</sub> top contact, especially under oxidation conditions. Mo-vacancy eliminates the Schottky barrier of Ti-MoS<sub>2</sub> top contact, and S-vacancy reduces the Schottky barrier from 0.28 to 0.15 eV. Mo-vacancy is beneficial to get high quality *p*-type Ti-MoS<sub>2</sub> top contact, whereas S-vacancy is favorable to achieve high quality *n*-type Ti-MoS<sub>2</sub> top contact. Moreover, defective Ti-MoS<sub>2</sub> top contacts have stronger dipole layers, higher potential step and more transferred charges than perfect one. Electronic properties of Ti-MoS<sub>2</sub> top contacts can be tuned by intrinsic vacancy in monolayer MoS<sub>2</sub>. Our findings provide important insights into future designing and fabrication of novel nanoelectronic devices with monolayer MoS<sub>2</sub>.

**KEYWORDS:** Density functional theory; Monolayer MoS<sub>2</sub>; Vacancy; Electronic properties

Monolayer transition-metal dichalcogenides (mTMD) semiconductors are considered promising candidates for channel materials in next-generation nanoelectronic devices. Monolayer molybdenum disulfide (MoS<sub>2</sub>), one of two-dimensional mTMD semiconducting crystal, has drawn tremendous attention due to its atomically thickness of  $\sim 7$  Å/layer [1], considerable band gap of 1.8 eV [2], planar nature, distinctive electronic and optical properties [3, 4]. Most recently, field-effect transistors (FETs) with monolayer MoS<sub>2</sub> as channel material show higher current on/off ratios and lower power consumption than classical transistors [5]. New phototransistor based on monolayer MoS<sub>2</sub> has been demonstrated to have a better photoresponsivity as compared with the graphene-based device [6]. Moreover, monolayer MoS<sub>2</sub> has been used to construct FET based biosensors, which exhibit highly advantageous over all other

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nanomaterial-based FET biosensors [7].

Metal contacts to monolayer MoS<sub>2</sub> is a critical issue for its transistor applications [8, 9]. Understanding the physical nature of metal-MoS<sub>2</sub> contact is important for controlling electronic transparency and contact resistance, which are limiting factors for device performance [10]. Therefore, many studies have been performed to research the electronic characteristics of metal-MoS<sub>2</sub> contacts [8, 11-14]. Recently, transition metal Ti has obtained more attention because it has d orbitals, which may favorably mix with the Mo 4d states and enlarge the orbital overlaps. Popov et al. [12] have found that Ti is more efficient than the common contact Au metal for electron injection into monolayer MoS<sub>2</sub>. Moreover, many experiments and calculations have shown that Ti-MoS<sub>2</sub> contact has an Ohmic character with lower Schottky barrier than other In-, Al-, Au-, and Pd-MoS<sub>2</sub> contacts [8, 11, 13]. Therefore, Ti has been proposed as a promising alternative contact metal to monolayer MoS<sub>2</sub>.

Vacancy defects have been found to exist in monolayer MoS<sub>2</sub> when monolayer MoS<sub>2</sub> was obtained through many methods [15]. Several literatures have reported that the structural, electronic, and optical properties of monolayer MoS<sub>2</sub> depend greatly on its intrinsic vacancies [16-18]. It should be noted that vacancy defects in monolayer MoS<sub>2</sub> not only influence the properties of monolayer MoS<sub>2</sub> but also affect the interfacial and electrical properties of metal-MoS<sub>2</sub> contacts. However, to the best of our knowledge, effects of vacancies in monolayer MoS<sub>2</sub> on electronic structure and electronic properties of Ti-MoS<sub>2</sub> contact are not well understood yet. As we know, the knowledge of electronic properties of Ti-MoS<sub>2</sub> contact is very important for its practical applications as well as for the designing and analyzing of optoelectronic devices. Therefore, in this work, electronic properties of Ti-MoS<sub>2</sub> top contacts with vacancy in monolayer MoS<sub>2</sub> have been investigated using first-principles calculations.

In the present calculations, the generalized gradient approximation (GGA) with Perdew-Burke-Ernzerhof (PBE) functional as implemented in CASTEP [19] is adopted to describe electron exchange and correlation. In order to consider the van der Waals force in TMD materials, DFT-D2 approach is used, where

a semi-empirical dispersion potential described by a simple pair-wise force field is added to the conventional Kohn-Sham DFT energy [20]. The ionic cores were represented by ultrasoft pseudopotential for Ti, Mo and S atoms. The Ti 3d4s, Mo 4d5s and S 3s3p electrons were regarded as valence electrons. Ti-MoS<sub>2</sub> top contact was modeled by a supercell slab, which is periodic in the  $x$  and  $y$  directions and separated by 20 Å vacuum in the  $z$  direction to minimize the interactions between adjacent image cells. The supercell slab of Ti-MoS<sub>2</sub> top contact contains 4×4 unit cells of monolayer MoS<sub>2</sub> and the close-packed surface of Ti (001) extending to the 6th layer. Fig. 1(a) shows schematic of a monolayer MoS<sub>2</sub> FET and Fig. 1(b) presents the side view of supercell geometry of perfect Ti-MoS<sub>2</sub> top contact. Geometries of defective Ti-MoS<sub>2</sub> top contacts with Mo- and S-vacancy are presented in Fig. 1(c) and (d), respectively. After extensive convergence analysis, the plane-wave cutoff energy was set to be 720 eV. The number of  $k$  points in the unit cell was set to be 200 (10×10×2) for monolayer MoS<sub>2</sub> and 1000 (10×10×10) for Ti-MoS<sub>2</sub> contact, where the self-consistent convergence of the total energy is  $1.0 \times 10^{-6}$  eV/atom. Under the calculational conditions, monolayer MoS<sub>2</sub> shows direct band gap of 1.8 eV, which is consistent with results obtained by experiments [2].

Formation energies of S- and Mo-vacancy in Ti-MoS<sub>2</sub> contacts were calculated. Fig. 2 shows the formation energies of intrinsic vacancy as a function of the sulfur chemical potential ( $\Delta\mu_s$ ). It can be seen that the formation energy of Mo-vacancy in Ti-MoS<sub>2</sub> top contact increases monotonously as  $\Delta\mu_s$  varies from oxidization limit to reduction limit, implying that Ti-MoS<sub>2</sub> top contact with Mo-vacancy is more stable under oxidization conditions. Nevertheless, the formation energy of S-vacancy in Ti-MoS<sub>2</sub> top contact shows an opposite trend compared with that of Mo-vacancy in Ti-MoS<sub>2</sub> top contact. The variations of the formation energies of Mo- and S-vacancy in Ti-MoS<sub>2</sub> top contact are consistent with those of Mo- and S-vacancy in monolayer MoS<sub>2</sub> [16]. Moreover, in Fig. 2, the formation energy of Mo-vacancy maintains negative whereas that of S-vacancy keeps positive, indicating Mo-vacancy creation is easier than S-vacancy in Ti-MoS<sub>2</sub> top contact.

Partial density of states (PDOS) of all atomic species of perfect and defective Ti-MoS<sub>2</sub> top contacts are

shown in Fig. 3, and compared with those of intrinsic monolayer MoS<sub>2</sub>. Fig. 3(a) presents the PDOS of intrinsic monolayer MoS<sub>2</sub>. It can be seen that the top of valence bands and the bottom of conduction bands of monolayer MoS<sub>2</sub> are dominated by the hybridization of anti-bonding and bonding between Mo 4*d* and S 3*p* states. The PDOS of perfect Ti-MoS<sub>2</sub> top contact is shown in Fig. 3(b). Upon contacting to Ti, both Mo 4*d* and S 3*p* states of monolayer MoS<sub>2</sub> shift downward and spread all over the original band gap of intrinsic monolayer MoS<sub>2</sub>. Some S 3*p* states hybridize with Ti 3*d* states near the Fermi level ( $E_F$ ), suggesting the formation of Ti-S chemical bonding at the interface of Ti-MoS<sub>2</sub> top contact. Besides, a large overlap between Mo 4*d* and Ti 3*d* states is found near the  $E_F$ , indicating metallic character of perfect Ti-MoS<sub>2</sub> top contact. The  $E_F$  of perfect Ti-MoS<sub>2</sub> top contact is shifted towards the bottom of original conduction bands of monolayer MoS<sub>2</sub>, showing that perfect Ti-MoS<sub>2</sub> top contact is doped *n*-type by Ti. The valence bands maximum ( $E_{VBM}$ ) of intrinsic monolayer MoS<sub>2</sub> can be determined by the following equation [21, 22]:

$$E_{VBM}(\text{intrinsic})=E_{VBM}(\text{interface})-V_{av}(\text{interface})+V_{av}(\text{intrinsic}) \quad (1)$$

where  $E_{VBM}(\text{intrinsic})$  and  $E_{VBM}(\text{interface})$  are the  $E_{VBM}$  of intrinsic monolayer MoS<sub>2</sub> and monolayer MoS<sub>2</sub> in Ti-MoS<sub>2</sub> top contact, respectively.  $V_{av}(\text{intrinsic})$  and  $V_{av}(\text{interface})$  represent the average potential of intrinsic monolayer MoS<sub>2</sub> and monolayer MoS<sub>2</sub> in Ti-MoS<sub>2</sub> top contact, respectively. As a result, the borders of the  $E_{CBM}$  and  $E_{VBM}$  of intrinsic monolayer MoS<sub>2</sub> are marked as vertical dash lines in the PDOS of Ti-MoS<sub>2</sub> top-contacts, as shown in Fig. 3. The dot line in Fig. 3 represents the  $E_F$  of Ti-MoS<sub>2</sub> top contact. According to the previous studies [8, 23], the *n*-type (*p*-type) Schottky barrier is the difference between the  $E_{CBM}$  (the  $E_{VBM}$ ) of intrinsic monolayer MoS<sub>2</sub> and the  $E_F$  of the monolayer MoS<sub>2</sub> in Ti-MoS<sub>2</sub> top contact. Hence, in Fig. 3(b), Schottky barrier of perfect Ti-MoS<sub>2</sub> top contact is about 0.28 eV, which is in good agreement with other calculational and experimental data [12, 24]. Moreover, high PDOS surround the  $E_F$  implies the formation of Ohmic contact between Ti metal and monolayer MoS<sub>2</sub>, which is consistent with previous theoretical and experimental reports for Ti-MoS<sub>2</sub> top contact [8, 14, 24].

Fig. 3(c) shows the PDOS of Ti-MoS<sub>2</sub> top contact with Mo vacancy. It is clear that interactions between

S  $3p$  and Ti  $3d$  states become stronger and that overlaps between Mo  $4d$  and Ti  $3d$  states get larger compared with those of perfect one. On one hand, the dangling bonding of S atoms surrounding Mo-vacancy may rebind with Ti to strength the Ti-S bonding. On the other hand, the decrease of physical distance between Ti metal and monolayer MoS<sub>2</sub> enhance the overlap of their  $d$  states. Thus, higher and wider PDOS, consist of Mo  $4d$  and S  $3p$  states, spread all over the original band gap of monolayer MoS<sub>2</sub>, implying that Mo-vacancy further improves Ohmic character and metallic behavior of the Ti-MoS<sub>2</sub> top contact. The Schottky barrier of Ti-MoS<sub>2</sub> top contact with Mo-vacancy is vanished, indicating higher electron injection efficiency. Moreover, some peaks of PDOS appear near the top of original valence bands of monolayer MoS<sub>2</sub>, suggesting that Mo-vacancy in monolayer MoS<sub>2</sub> is suitable to get  $p$ -type Ti-MoS<sub>2</sub> top contact. Fig. 3(d) presents the PDOS of Ti-MoS<sub>2</sub> top contact with S vacancy. It is obvious that the PDOS of the defective Ti-MoS<sub>2</sub> top contact are higher and wider than those of perfect one. The Schottky barrier of 0.15 eV is found for Ti-MoS<sub>2</sub> top contact with S-vacancy, which is smaller than that of perfect one. Furthermore, some high peaks of PDOS, dominated by Mo  $4d$  states with small admixture of S  $3p$  states, are observed near the bottom of original conduction bands of monolayer MoS<sub>2</sub>, indicating that S-vacancy brings about  $n$ -type Ti-MoS<sub>2</sub> top contact.

To illustrate the nature of charge transfer at the interface of contacts, electron difference density and schematic of band structure of Ti-MoS<sub>2</sub> top contacts without defect, with Mo-vacancy, and with S-vacancy are shown in Figs. 4(a-c), respectively. In Fig. 4(a), several charge transferred oscillations are observed on electron difference density near the interface of perfect Ti-MoS<sub>2</sub> top contact, which indicates the formation of interfacial dipole layers [25]. The dipole layers result in a potential step,  $\Delta V$ , in the potential energy perpendicular to the interface [25]. Electrons are piled in the dipole layer on the surface of Ti metal, implying depletion is close to the surface of monolayer MoS<sub>2</sub> because the work function of Ti is larger than that of monolayer MoS<sub>2</sub> [8, 26]. As to chemisorption interface, the strong chemical interactions between these dipole layers can induce buckled surfaces in the interface and further increase the potential step [23], leading to the Schottky barrier of perfect Ti-MoS<sub>2</sub> top contact lower than the difference of work function between pristine

metal Ti and intrinsic monolayer MoS<sub>2</sub>. After introduction of Mo vacancy in monolayer MoS<sub>2</sub>, the electrons transferred from monolayer MoS<sub>2</sub> to Ti are increased. Therefore, more positive charges are piled on the surface of monolayer MoS<sub>2</sub> as well as stronger dipole layers are formed at the interface, as exhibited in Fig. 4(b). The drastic reordering charges lead to the decrease of the  $E_F$  of monolayer MoS<sub>2</sub>. Moreover, higher peaks are observed for electron difference density at the interface of Ti-MoS<sub>2</sub> top contact with Mo-vacancy, indicating the strengthened chemical interactions between Ti metal and monolayer MoS<sub>2</sub>. Due to the larger charge redistribution and the stronger chemical interactions, the potential step of Ti-MoS<sub>2</sub> top contact with Mo-vacancy becomes higher, which brings about the  $E_F$  of the contact descending into the original valence bands of monolayer MoS<sub>2</sub>. Hence, the Schottky barrier of Ti-MoS<sub>2</sub> top contact with Mo-vacancy is disappeared. In Fig. 4(c), Ti-MoS<sub>2</sub> top contact with S-vacancy also has more electrons transferred from monolayer MoS<sub>2</sub> to metal Ti than perfect one. Thus, many negative charges are localized on the surface of Ti metal, and then the work function of Ti is decreased [27], but the value is still higher than that of monolayer MoS<sub>2</sub> with S-vacancy. So the schematic of band structure of the defective Ti-MoS<sub>2</sub> contact is similar to that of perfect one. Nevertheless, the peaks of electron difference density at the interface of the defective Ti-MoS<sub>2</sub> contact are a little higher than those of perfect one, suggesting stronger chemical interactions and a little larger potential step. Simultaneously, S-vacancy causes the increase of the  $E_F$  of monolayer MoS<sub>2</sub> [18]. These results lead to a narrow Schottky barrier for Ti-MoS<sub>2</sub> top contact with S-vacancy.

In summary, we investigate the electronic properties of perfect and defective Ti-MoS<sub>2</sub> top contacts using first-principles calculations. Results show that the electronic properties of Ti-MoS<sub>2</sub> top contacts can be tuned by intrinsic vacancy in monolayer MoS<sub>2</sub>. Upon Mo- or S-vacancy forming in monolayer MoS<sub>2</sub>, higher and wider PDOS as well as lower Schottky barrier are observed for defective Ti-MoS<sub>2</sub> top contacts. Additionally, more transferred charges, stronger dipole layers and higher potential step are found for defective Ti-MoS<sub>2</sub> top contacts. Mo-vacancy in monolayer MoS<sub>2</sub> results in *p*-type Ti-MoS<sub>2</sub> top contact, whereas S-vacancy in monolayer MoS<sub>2</sub> brings about *n*-type Ti-MoS<sub>2</sub> top contact.



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Notes

The authors declare no competing financial interest.

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**Figure captions list:**

Fig. 1 (a) Schematic cross-sectional view of a monolayer MoS<sub>2</sub> FET. Dotted box represents Ti-MoS<sub>2</sub> top contact. (b) Side view of the perfect Ti-MoS<sub>2</sub> top contact. (c) Amplified sketch of Ti-MoS<sub>2</sub> top contact with Mo-vacancy. (d) Amplified sketch of Ti-MoS<sub>2</sub> top contact with S-vacancy. Color key is Ti=dark green, S=yellow, and Mo=green.

Fig. 2 Formation energies of individual vacancy defect versus the sulfur chemical potential ( $\Delta\mu_s = \mu_s^0 - \mu_s$ ),  $\mu_s^0$  is the total energies per atom of sulfur molecular. The formation energy is calculated for the whole 4×4 slabs of Ti-MoS<sub>2</sub> top contact.

Fig. 3 PDOS of adsorbate-free Ti slab and intrinsic monolayer MoS<sub>2</sub> (a), PDOS of perfect Ti-MoS<sub>2</sub> top contact (b), PDOS of defective Ti-MoS<sub>2</sub> top contact with Mo-vacancy (c), PDOS of defective Ti-MoS<sub>2</sub> top contact with S-vacancy (d).  $\Phi_{SB,n}$  and  $\Phi_{SB,p}$  are *n*- and *p*-type Schottky barrier, respectively.

Fig. 4 Charge redistribution and band structure of perfect Ti-MoS<sub>2</sub> contact (a), Ti-MoS<sub>2</sub> contact with Mo-vacancy ( $V_{Mo}$ ) (b), Ti-MoS<sub>2</sub> contact with S-vacancy ( $V_S$ ) (c). In each sub-figure ((a)-(c)), the left shows electron difference density along *y* projected on *x-z* plane coupling with the average value in the *x-y* planes normal to *z*-axis; the right shows schematic of band structure of Ti-MoS<sub>2</sub> top contact.  $E_{vac}$  and  $E_F$  are the vacuum level and the Fermi level, respectively.  $W_M$  and  $\Delta V$  represent the work function of adsorbate-free Ti and the potential step, respectively. “-” and “+” represent the electron and hole, respectively, their numbers mean the ability of charge redistribution.

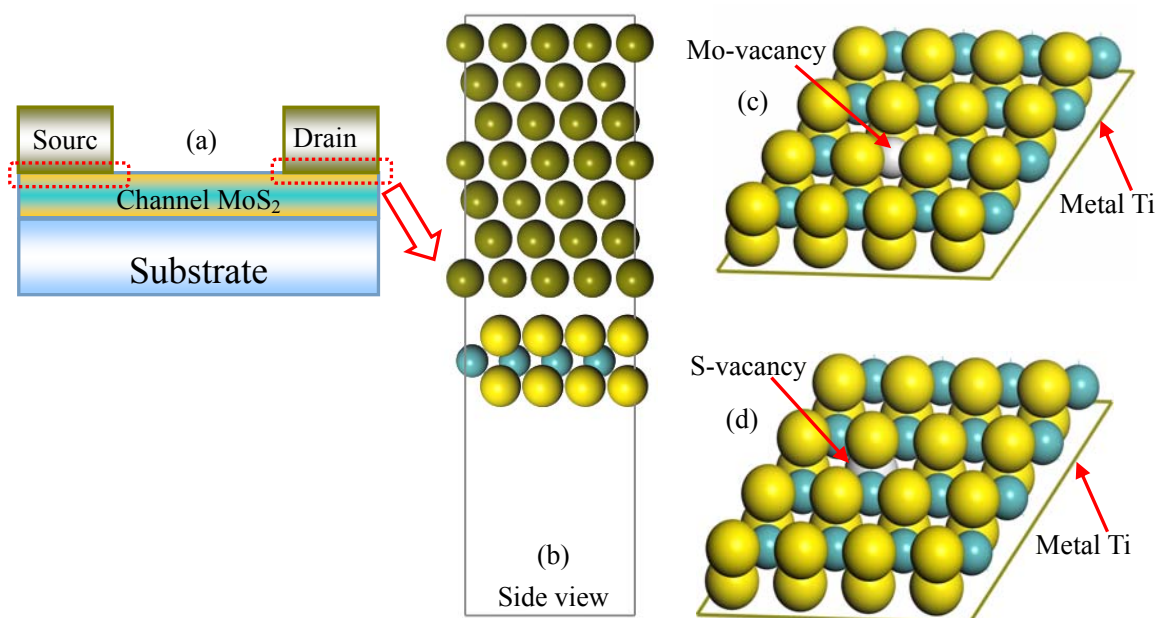


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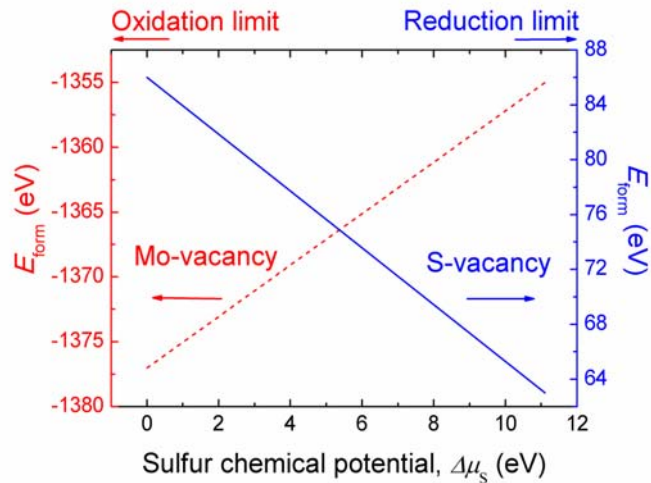


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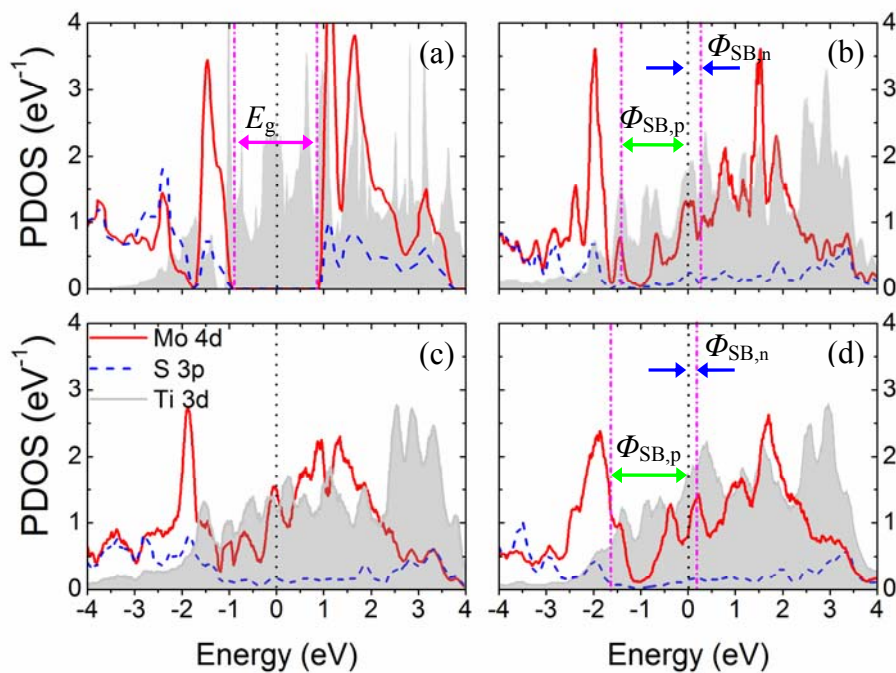
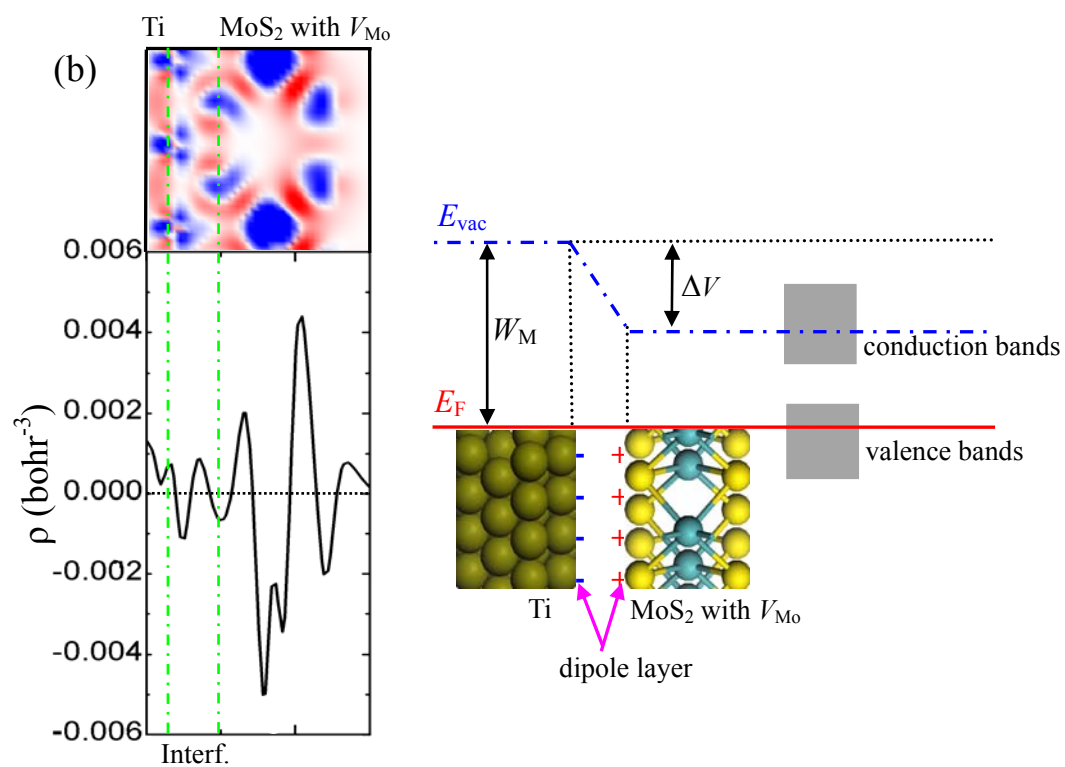
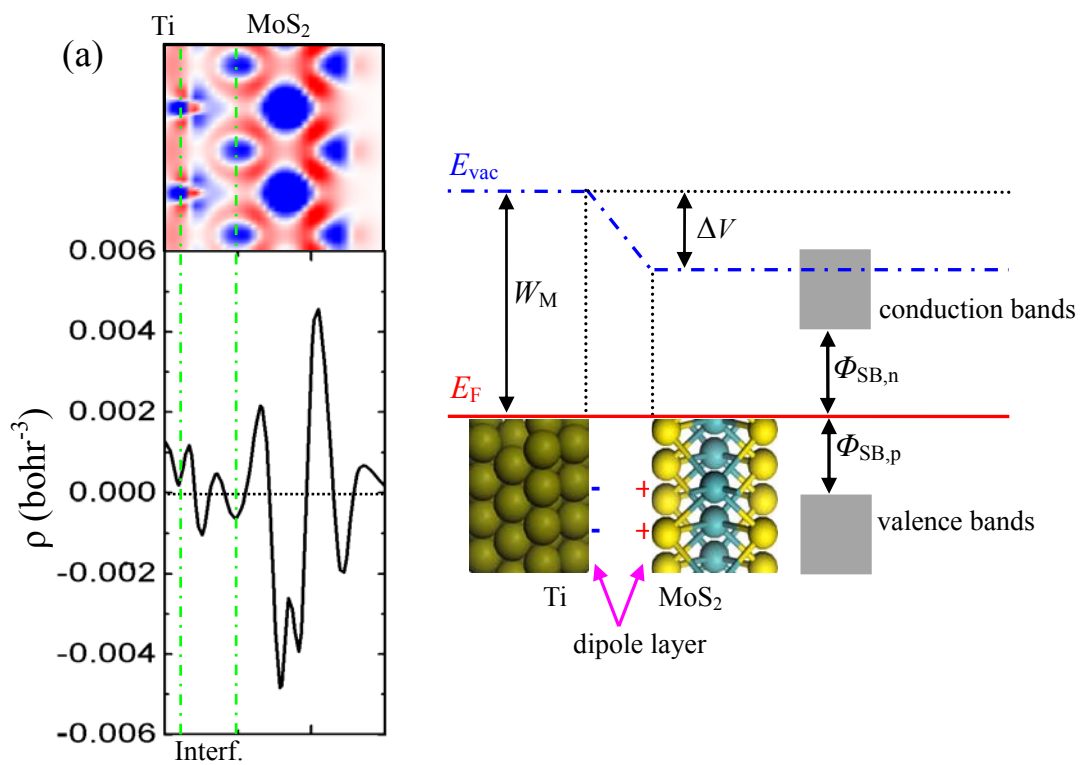


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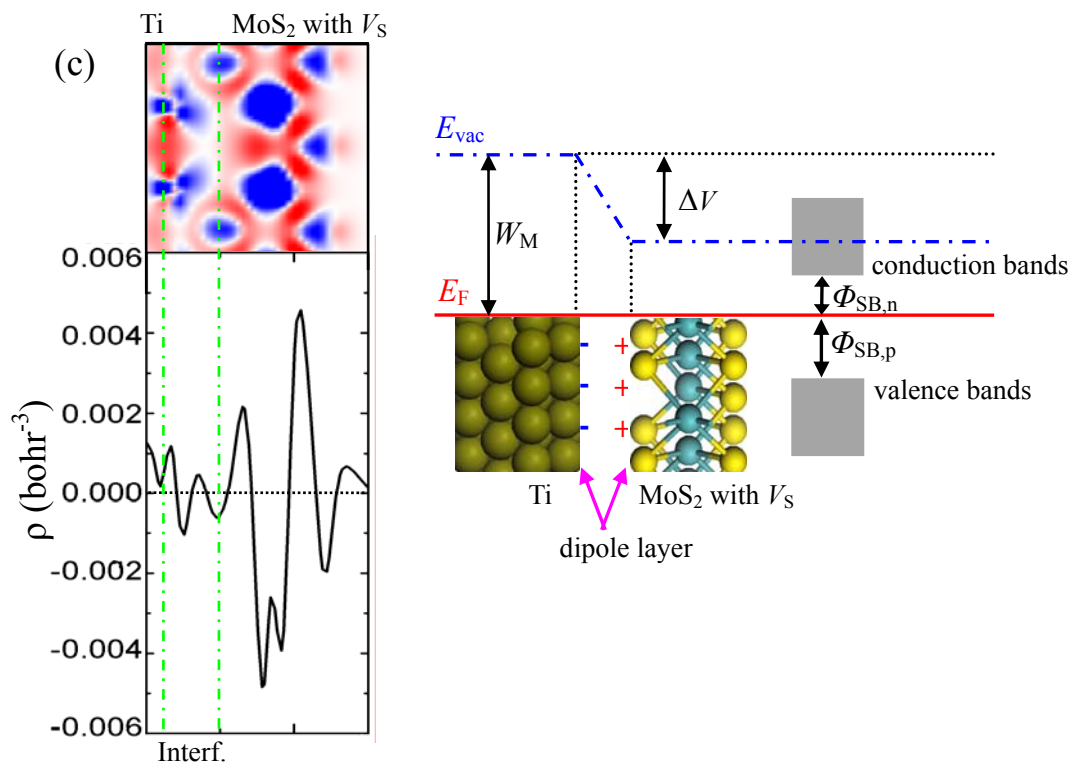


Fig. 4 Charge redistribution and band structure of perfect Ti-MoS<sub>2</sub> contact (a), Ti-MoS<sub>2</sub> contact with Mo-vacancy ( $V_{Mo}$ ) (b), Ti-MoS<sub>2</sub> contact with S-vacancy ( $V_S$ ) (c). In each sub-figure ((a)-(c)), the left shows electron difference density along y projected on x-z plane coupling with the average value in the x-y planes normal to z-axis; the right shows schematic of band structure of Ti-MoS<sub>2</sub> top contact.  $E_{vac}$ , and  $E_F$  are the vacuum level and the Fermi level, respectively.  $W_M$  and  $\Delta V$  represent the work function of adsorbate-free Ti and the potential step, respectively. “-” and “+” represent the electron and hole, respectively, their numbers mean the ability of charge redistribution.