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Fluorine Substitution Effects of Halide Anion Receptors Based on Combination of Distinct Hydrogen Bond and Anion- π Noncovalent Interactions: A Theoretical Investigation

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Abstract

Noncovalent interactions between halide anions and a series *N*-(4-vinyl-2-benzoic acid benzyl ester)-phenyl-urea containing receptors (**1**~**8**) based on hydrogen bond and (or) anion- π interaction were investigated *via* theoretical calculations based on dispersion corrected density functional B3LYP-D3. Particularly, the fluorine substitution effects were deeply explored. The results showed that the substituent number and position of fluorine groups on the phenyl ring of the benzoic acid esters group has a significant effect on the configuration and cooperative property of the hydrogen bond and anion- π interactions. Consequently, a more feasible and rational geometric criterion for either strong or weak halide-anion- π contact was proposed *via* three inequalities independent of any empirical parameters, which is different from the criterion proposed very recently by Albrecht and Rissanen based on their experience with solid state anion- π interactions (*Chem. Sci.*, 2015, 6, 354–359). Additionally, electronic properties and behaviors of the systems were discussed according to the calculations on frontier molecular orbital, total electrostatic potential and visualized weak interactions regions. It is expected that the theoretical

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explorations from a molecular level in this work may be useful for the future experimental study and helpful for understanding the structure-activity relationship between aromatic ring and anion- π interaction in the case of combination of distinct noncovalent interactions.

Keywords: Anion receptors; Hydrogen bond; Anion- π interaction; Theoretical calculation

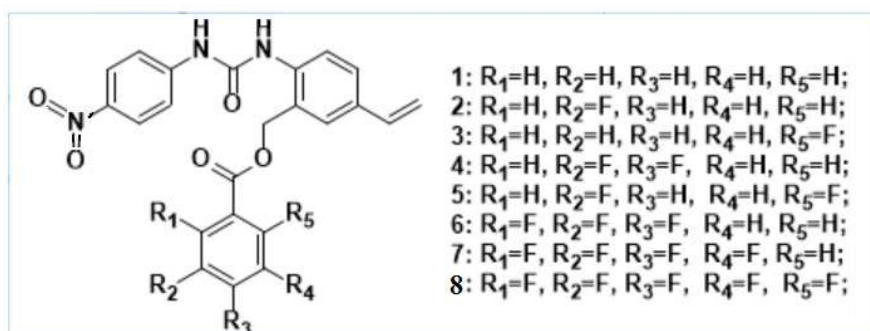
1. Introduction

Due to the ubiquity and importance of anions in biochemical processes, medical catalyses, sensors and the environmental detections, chemists have prompted intensive research activities into the development of synthetic anion receptors [1-8]. Despite the great importance and significant progress of anion recognition and sensing [9-20], the molecular design and synthesis of anion receptors still remains a challenging field of chemistry. Presently, the conventionally adopted supramolecular synthons of anion receptor include electrostatic, hydrogen bonding (HB) [17, 19, 20], halogen bonding (XB) [21-24], Lewis acid-base [25], and anion- π [26, 27] interactions. Among these noncovalent interactions in anion recognition and reception, HB is the headmost, the most popular and classical. In contrast, anion- π has been overlooked for a long time primarily due to their counterintuitive nature, in which anions are expected to exhibit repulsive interactions with aromatic π -systems owing to their electron donating character.

Since the pioneering work describing gas-phase clustering reactions between anions and hexafluorobenzene [28], much more attention has been attracted to the anion- π noncovalent interactions including theoretical and experimental methodologies [26, 27, 29-34]. Typically, anion- π interactions are termed as favorable noncovalent contacts between an electron deficient (π -acidic) aromatic system and an anion [26, 30]. Elegant studies have revealed that the anion- π interaction is, in general, dominated by electrostatic and anion-induced polarization contributions [35-36].

Recently, the strategy of cooperative multiple different noncovalent interactions for

anion recognition has shown some promising benefits for the design of anion receptors [37-39]. Taylor's group successfully synthesized a series of urea-based anion receptors composed of both $-(\text{CO})\text{NH}-$ and $-\text{C}_6\text{H}_4-\text{X}$ ($\text{X}=\text{F}, \text{I}$) groups, suggesting the possibility to employ hydrogen- and halogen-bond interactions cooperatively in molecular recognition, and to modulate the anion selectivity with combinations of the above two distinct noncovalent interactions^[40]. Most recently, a hydroxyl functionalized tetraoxacalix[2]arene[2]triazine host molecule was synthesized^[41], and its infinite self-assemblies were also produced under the directing of cooperative anion- π , lone-pair electron- π interactions and intermolecular hydrogen bond. In our previous work^[42], a novel electron-deficient-aromatic structural unit- and urea-based anion receptor (*N-p*-nitrophenyl-*N*-(4-vinyl-2-fluoro-benzoic acid benzyl ester)-phenyl-urea, **FUR**) was designed to probe its potential for halide-anion recognition through cooperation of hydrogen bond and anion- π weak interactions *via* theoretical calculation. It is found that the $\text{N}-\text{H}\cdots\text{F}^-$ hydrogen bond is much stronger than $\text{N}-\text{H}\cdots\text{X}$ ($\text{X}=\text{Cl}^-, \text{Br}^-$ and I^-), but the F^- - π interaction might be slightly weaker than $\text{X}-\pi$ ($\text{X}=\text{Cl}^-, \text{Br}^-$ and I^-) interactions. More importantly, F^- anion would be prior recognized and highly affinity by the anion receptor **FUR** either in vacuum or in solution phase when it coexists with other halide-anions or their mixture, indicating that the designed **FUR** could be an ideal receptor for highly sensitive and selective recognition of F^- anion through the cooperation of $\text{N}-\text{H}\cdots\text{F}^-$ hydrogen bond and anion- π weak interactions.



Scheme 1 The chemical structures of anion receptors **1**~**8** investigated in this work.

In the course of our ongoing research on the halide anion recognition capabilities of the *N-p*-nitrophenyl-*N*-(4-vinyl-2-fluoro-benzoic acid benzyl ester)-phenyl-urea and its derivatives, it was found that the fluorine substitution effects should be re-clarified and deeply investigated since the substituent number and position of fluorines on the phenyl ring of the benzoic acid ester have significant effect on the configuration and cooperative property of the hydrogen bond and anion- π interactions, while anion binding energies are not obviously effected. Herein, the eight anion receptors **1**~**8** used in this investigation of the fluorine substitution effects are shown in Scheme 1. We hope that this theoretical study is useful for judging an anion- π interaction, understanding the impact of fluorine substitution, and further design and synthesis of the fluorine-containing *N-p*-nitrophenyl-*N*-(benzoic acid benzyl ester)-phenyl-urea derivatives.

2. Computational methods

In the current work, the density functional theory of Grimme's DFT-D3^[43] was mainly employed for the study of anion-receptor@X⁻ systems (X=F, Cl, Br and I). DFT-D3 method provides an empirical dispersion correction for DFT^[43, 44]. The ability of this new density functional to predict and explain the supramolecular chemistry at van der Waals distances is very encouraging since density functional theory can be used conveniently for supramolecular systems^[45, 46]. All the geometric configurations were optimized at the B3LYP-D3/6-31+G(D, P) levels, while for I atom, the basis set of MIDIX⁴⁷ was used, which is considered as a well-balanced and economical double- ζ basis set that gives reasonably good geometries and partial atomic charges. No symmetry constraints were applied during optimizations. Harmonic frequency analyses were performed at the same level to confirm that these structures were local minima or transition state on the potential energy surfaces. The intermolecular interaction energies ($\Delta E_{\text{int}}^{\text{cp}}$) with basis set superposition errors (BSSE) corrected were calculated by the counterpoise method^[48]. Energy decomposition analyses were carried out with the LMO-EDA method^[49] implemented in

GAMESS-US 2014^[50]. Additionally, a visual study of intermolecular noncovalent interaction between host and guest was performed *via* calculating the reduced density gradient (RDG)^[51], coming from the electron density ($\rho(r)$) and its first derivative ($\text{RDG}(r)=1/(2(3\pi^2)^{1/3})|\nabla\rho(r)|/\rho(r)^{4/3}$), and the second largest eigenvalue of Hessian matrix of electron density (λ_2) functions by using Multiwfn program^[52, 53]. All the other calculations were performed with the Gaussian 09 program^[54].

3. Results and discussion

Geometric configurations

Figure 1 shows the optimized geometric configurations of the **1**~**8**@F⁻ systems at B3LYP-D3/6-31+G(D,P). The configurations of **1** ~ **8**@halide-anion systems involving Cl⁻, Br⁻ and I⁻ are given by their Cartesian coordinates in Table S1~Table S24 in the supporting information. Independent on the four halides, there are two kinds of receptor@halide-anion configurations. In the first one, the halide anions bind with receptors only by using N-H...X...H-N (X=F, Cl, Br and I) double-dentate hydrogen bond, including **1**@X⁻, **2**@X⁻, **4**@X⁻ and **6**@X⁻; In the other one, the complexes are formed *via* both double-dentate hydrogen bond and anion- π interaction, i.e. **3**@X⁻, **5**@X⁻, **7**@X⁻ and **8**@X⁻. For a simple and clear expression, the key geometric parameters (defined as Figure 2 showing) of the **1**~**8**@F⁻ complexes were listed in Table 1. It can be seen that the substituent number and position of the fluorine substitutions on the benzoic acid benzyl ester group of the anion receptors affect very little on the structures of the double-dentate hydrogen bonds, but it should be pointed out that the elongations of one donor (N1-H1) of the double-dentate hydrogen bond in **3**@X⁻ or **5**@X⁻ are a little larger than that of another (N2-H2), and the corresponding parameter of d_1 are shorter than another (d_2), indicating that the two branches of double-dentate hydrogen bond are not symmetrical. In order to further confirm these geometric characteristics of the N-H...X...H-N double-dentate hydrogen bonds, another density functional method M06-2X^[55], which can also provide accurate description for the noncovalent interactions, was used at the same basis set for the

optimizations of the free **8** and **8@X⁻** (X=F, Cl, Br and I) complexes. The results (See Table S25) show the same features as the previous one obtained by B3LYP-D3 method.

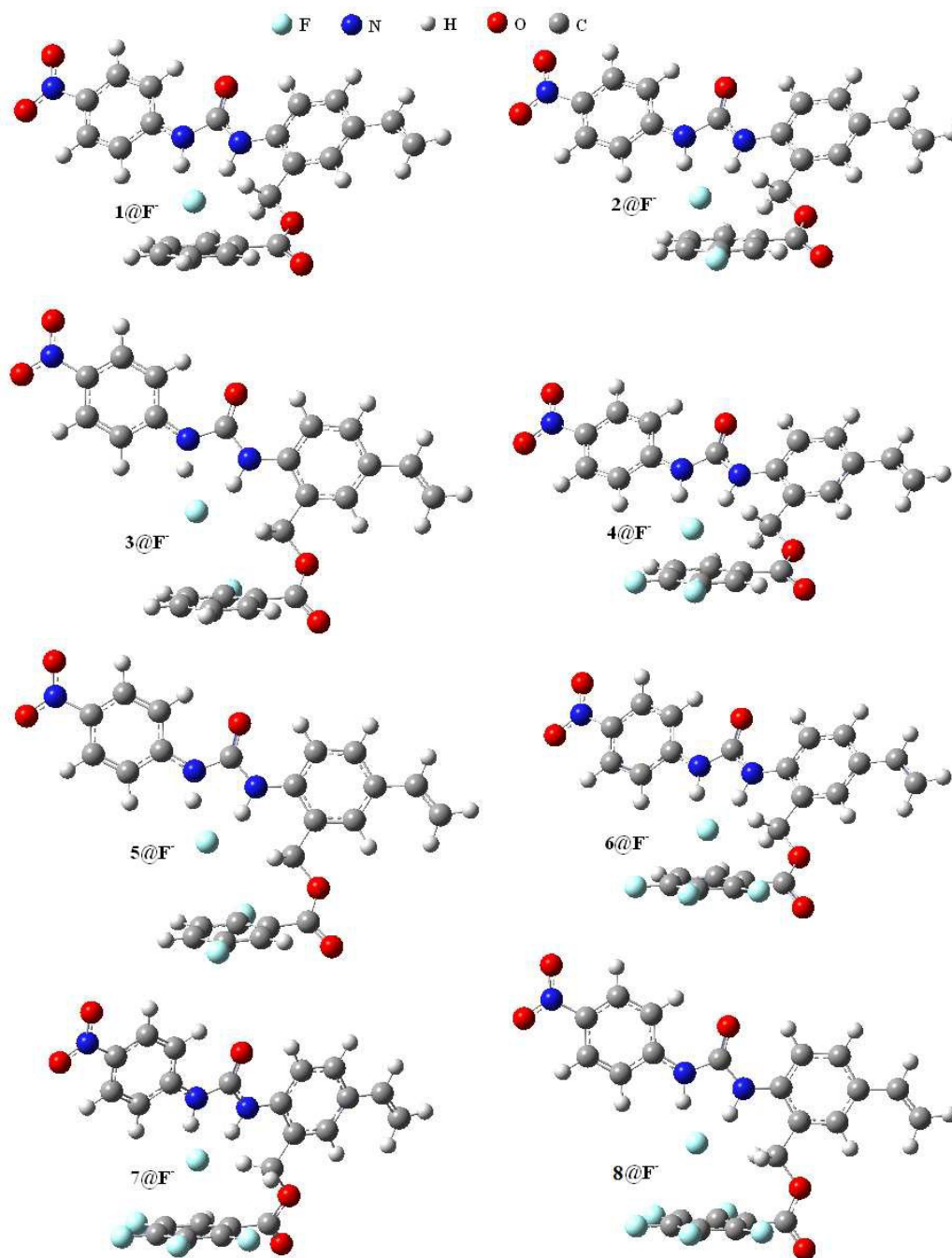


Figure 1 The geometric configurations of **1@F⁻** ~ **8@F⁻** systems.

Moreover, the average mutual penetration distances, $d_{\text{penetration}}$, between F^- and H atom in $\mathbf{3@X}^-$ and $\mathbf{5@X}^-$ systems are larger than those in the other complexes, indicating that fluorine substitution on the fifth position of the benzoic structure unit may enhance the double dentate hydrogen bond. This is probably owing to the field effect which might occur as the fluorine substitutions on the fifth position of the benzoic are relatively close to the anion. We also noted that the average mutual penetration distances of double-dentate hydrogen bonds in $\mathbf{1@X}^-$ and $\mathbf{8@X}^-$ are almost identical, indicating that either fluorine-free or five-fluorine substituents on the benzoic acid benzyl ester give the same strengths of the $\text{N-H}\cdots\text{X}^-\cdots\text{H-N}$ double-dentate hydrogen bond. For the double-dentate hydrogen bond in $\mathbf{2@X}^-$ and $\mathbf{6@X}^-$, the $d_{\text{penetration}}$ are smaller than those in the other systems. In contrast, fluorine substituents in receptor **2** and **6** are relatively far away from the anion and hydrogen bond donors, thereby, the corresponding field effect has little contribution on the stabilization for the double-dentate hydrogen bond.

Table 1 The key geometry parameters (defined as Figure 2 showing) of the receptor@ F^- (receptor = 1~8) at B3LYP-D3/6-31+G(D,P)

	$l_1/\text{\AA}$	$l_2/\text{\AA}$	$d_1/\text{\AA}$	$d_2/\text{\AA}$	$\theta_1/^\circ$	$\theta_2/^\circ$	$d_{\text{penetration}}/\text{\AA}$ ^a
1@F^-	1.058	1.046	1.576	1.636	158.08	158.06	1.301
2@F^-	1.056	1.045	1.583	1.640	156.18	157.98	1.296
3@F^-	1.065	1.048	1.535	1.625	158.55	156.92	1.327
4@F^-	1.054	1.044	1.593	1.644	157.87	158.36	1.289
5@F^-	1.063	1.048	1.543	1.629	158.50	157.07	1.321
6@F^-	1.054	1.043	1.596	1.650	158.03	158.50	1.284
7@F^-	1.057	1.047	1.580	1.623	157.70	158.52	1.306
8@F^-	1.056	1.047	1.583	1.627	157.74	158.58	1.302

^a $d_{\text{penetration}}$, mutual penetration distance between F^- and H atom, is defined as sum of the van der Waals radii of H atom and halide-anion substrate the average of d_1 and d_2 , namely $d_{\text{penetration}} = \sum \text{vdW-radii} - 1/2(d_1 + d_2)$.

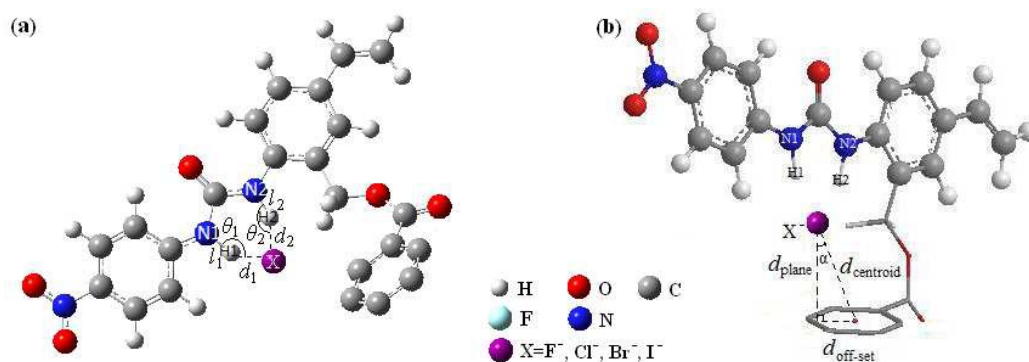


Figure 2 Definitions of the related geometric parameters the N-H \cdots X double-dentate hydrogen bond (a) and anion- π (b) in receptor@halide-anion systems^[42].

Compared to the effect on the structures and strength of the double-dentate hydrogen bonds in **1**~**8**@ F^- systems, the fluorine substitution has significant impact on the anion- π interactions. The substituent number and position of the fluorine substitution determine the efficiency and even existence of the anion- π interaction in current systems. As can be seen from the configurations of **1**@ F^- , **2**@ F^- , **4**@ F^- , **6**@ F^- presented in Figure 1, all of the F^- are far away from the center of benzoic acid group and nearly lie on the same plane of benzoic acid group. Table 2 lists some key geometric parameters (defined as Figure 2(b) showing) related to anion- π structure in **1**~**8**@ F^- systems at B3LYP-D3/6-31+G(D, P) level. The configuration parameters of α in these four configurations are high as 76.33, 77.57, 79.00 and 72.36°, respectively. Therefore, from the view of geometric consideration, the anion- π interactions are not possible if **1**, **2**, **4**, and **6** were used as halide receptors. However, in the configurations of **3**@ F^- , **5**@ F^- , **7**@ F^- , **8**@ F^- configurations, F^- anions are all located on above of the benzoic group with smaller α values in the range of 12~36°, revealing the rational geometric possibilities of the formations of the anion- π interactions. It has been evidenced that, in many of the X-ray structures exhibiting anion- π contact, the anion is not located exactly over the center of the ring^[29]. Instead, it is displaced with respect to the center of the ring. Since most aromatic rings are asymmetrically substituted, the more favorable location of anion is probably not above the center of the ring. Obviously, if α is too large, the anion- π interaction would not form. In fact, it

should be mentioned that it is difficult to clearly define and establish a criterion which allows to classify the given anion-aromatic geometric parameters as an anion- π interaction.

Table 2 Some key geometric parameters (defined as Figure 2(b) showing) the receptor@F⁻ (receptor = 1~8) at B3LYP-D3/6-31+G(D, P)

Receptor@F ⁻	$d_{\text{centroid}}/\text{\AA}$	$d_{\text{plane}}/\text{\AA}$	$d_{\text{off-set}}/\text{\AA}$	$\alpha/^\circ$	^a $d_{\text{penetration}}/\text{\AA}$
1@F ⁻	4.400	1.040	4.275	76.33	-0.988
2@F ⁻	4.358	0.938	4.256	77.57	-0.948
3@F ⁻	3.584	2.913	2.088	35.63	-0.471
4@F ⁻	4.317	0.824	4.238	79.00	-0.907
5@F ⁻	3.499	2.877	1.991	34.69	-0.089
6@F ⁻	4.251	1.288	4.051	72.36	-0.841
7@F ⁻	3.158	2.879	1.298	24.26	0.352
8@F ⁻	2.989	2.917	0.652	12.60	0.493

^a Here, the $d_{\text{penetration}}$, mutual penetration distance between halide-anion and aromatic π system, is defined as sum of the van der Waals radii of C atom and halide-anion substrate d_{centroid} , namely $d_{\text{penetration}} = \sum \text{vdW-radii} - d_{\text{centroid}}$.

The geometric structure of the anion- π noncovalent interaction can be characterized by the parameters of d_{centroid} , d_{plane} and $d_{\text{off-set}}$, which are defined as shown in Figure 2 (b). Table 2 lists the related geometric parameters of the receptor@F⁻ (receptor = 1~8) at B3LYP-D3/6-31+G(D,P). According to Frontera's recommendation^[29], when the anion is located at any place over the ring since the π -system covers the entire ring at distances $\leq \sum \text{vdW radii} + r$, where $r=0.7/\cos\alpha$ (0.7 is an empirical constant), an anion- π contact could be considered. However, as has been pointed out^[42], this is not a very easy understandable criterion since the definition of the distance between the anion and the involving aromatic ring is ambiguous and empirical. Moreover, it is also a relatively loose criterion, that might overestimate the maximum allowable anion- π contact distance. In our previous work^[42], we suggested using mutual penetration distance $d_{\text{penetration}} > 0$ (defined as the footnote of Table 2) as criterion to judge an anion- π contact. However, this is a very restrictive criterion, and

it may be used only for strong anion- π interaction. For a relatively weak anion- π interaction, $d_{\text{penetration}}$ is not recommended. For example, the $d_{\text{penetration}}$ in $\mathbf{5@F}^-$ and $\mathbf{3@F}^-$ are both negative values (listed in Table 2), but the weak anion- π contacts cannot be excluded. Therefore, it is very necessary to establish much more reasonable and reliable geometric criterion, which is suitable for either strong or weak anion- π contact.

Significantly, based on the experience with solid state anion- π interactions, Albrecht and Rissanen et al^[56] recently proposed an evaluation criteria by using of the hapticity concept and recommended a definition for anion- π contact as following three points:

- (1) The anion has to be located above the π -system. Therefore, any centroid-ring atom–anion angle should not be higher than 90° (+10% of tolerance).
- (2) The distance between the anion and the plane of the π -system has to be shorter than $\sum \text{vdW} + 0.4 \text{ \AA}$.
- (3) The hapticity of the anion- π interactions is given by the number of contacts to ring atoms which are $< \sum \text{vdW} + 0.4 \text{ \AA}$.

However, the criterion proposed by Albrecht and Rissanen et al^[56] is also restrictive and maybe reasonable for anion- π interaction involving pentafluorophenyl group as aromatic ring for anion in solid state. For a more common cases on this issue, we propose our opinion and idea in the following discussion.

As has been experimentally evidenced and mentioned above, the anion in the anion- π contact especially for asymmetrically substituted aromatic ring, is not exactly located over the center of the aromatic ring, but displaced with respect to the center of the ring. Therefore, we need two geometric parameters at least to determine an anion- π contact. One is the distance between the anion and the plane of the aromatic ring (d_{plane}), and the other one is α (as defined in Figure 2). If d_{plane} is very large, the interaction between anion and aromatic ring may not exist. On the other hand, if d_{plane} is small, but the value of α is quite large, the anion- π interaction is also nonexistent. So, how to determine the critical values of d_{plane} and α in an anion- π contact is the key step of establishing the geometric criterion.

For a noncovalent interaction, the distance of the involved atom pair is smaller than the sum of the van der Waals radii but larger than that of the covalent radii. Based on this principle, it can be approximately considered that the distance between anion and the plane of aromatic ring, d_{plane} , should be smaller than the sum of van der Waals radii of anion and the length from the aromatic center to the van der Waals surface of the aromatic ring along the direction perpendicular to the aromatic plane in an anion- π interaction, and larger than the sum of covalent radii of C (0.77 Å) atom and radii of X^- anion, which is only a necessary condition. Simultaneously, α should not be larger than a certain value (the maximum allowable value, which can be defined as critical value of α). This means $d_{\text{off-set}}$ should not be larger than its critical value, and the critical value of $d_{\text{off-set}}$ should be the maximum distance from the aromatic center to van der Waals surface of the aromatic ring along the direction parallel to the ring. In fact, this distance is a constant which can be determined *via* calculating van der Waals surface of the aromatic ring involving anion- π interaction. Figure 3(a) shows the benzene ring's van der Waals surface, which is defined as the π electron density iso-surface with the value of 0.001 a.u.. This definition reflects specific electron structure features of a molecule, such as lone pairs, π electrons etc. The total probability (Ω , as described in eq (1)) of π electron within the region, where electron density is larger than 0.001 a.u., is up to 97%.

$$\Omega = \frac{1}{n} \left[\int_{\rho > 0.001} \rho(r) dr \right] \times 100\% (n = 6) \quad \text{eq (1)}$$

The maximum distance from the center of the aromatic ring to van der Waals surface of the benzene ring is 2.67(5.34/2) Å, suggesting that the critical value of $d_{\text{off-set}}$ is 2.67 Å. Furthermore, the length from the center of benzene ring to the van der Waals surface of benzene ring along the direction perpendicular to the benzene plane is 1.77(3.54/2) Å. Based on this result and the intrinsic parameters of anion, such as ionic radii, van der Waals radii, geometry definition of anion- π contact can be plotted as shown in Figure 3 (b), in which green pillar region presents the location of anion in an anion- π interaction. This means that if an anion is not in this region, an anion- π contact could basically be excluded. Thereby, we can give the geometric criterion of an

anion- π contact as following three inequalities (ieq (1)~(3)):

$$d_{\text{plane}} < \text{vdW-radii}(X^-) + 1.77 \text{ \AA} \quad \text{ieq (1)}$$

$$d_{\text{off-set}} < 2.67 \text{ \AA} \quad \text{ieq (2)}$$

$$\alpha < \alpha_2 \quad \text{ieq (3)}$$

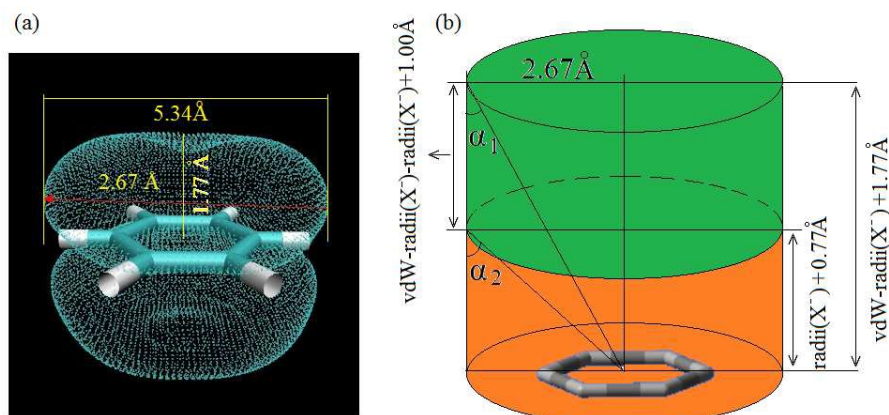


Figure 3 van der Waals surface of benzene ring (π electron density iso-surface with the value of 0.001 a.u.) (a), and geometric definition of anion- π contact (b), green area presents the location of anion in an anion- π interaction.

For the present halide-anion systems, we can easily list out the related intrinsic and critical parameters (see Table 3) as defined in Figure 3(b). Compared with the calculated results listed in Table 2 together with the above criterion (ieq(1)~(3)), the existence of anion- π interaction in each configuration could be approximately evaluated. As seen from Table 2, d_{plane} in the eight complexes are all shorter than 3.48 Å, but the $d_{\text{off-set}}$ and α in **1@F⁻**, **2@F⁻**, **4@F⁻** and **6@F⁻**, are larger than 51.81° and 2.67 Å, respectively. Apparently, this does not meet the condition of the geometric criterion proposed above, indicating that anion- π interaction does not exist between F⁻ and the aromatic group. The $d_{\text{off-set}}$ and α in **3@F⁻**, **5@F⁻**, **7@F⁻** and **8@F⁻**, are all well agreed with the geometric criterion as ieq(1)~(3) given, suggesting the existence of anion- π contacts between F⁻ and aromatic rings in these complexes. Simultaneously, it is noted that the $d_{\text{off-set}}$ and α in **7@F⁻** and **8@F⁻** are much smaller than those in **3@F⁻** and **5@F⁻**, respectively (Figure 4), indicating that the anion- π interactions in **7@F⁻**

and $8@F^-$ are much stronger than those in $3@F^-$ and $5@F^-$, and much more fluorine substitutions benefit the strength of the anion- π interaction. Additionally, though $d_{\text{penetration}}$ is not recommended for extrapolating the existence or non-existence of anion- π interactions, it may be useful to qualitatively estimate the strength of them. As shown in Figure 5, for no anion- π contact in $1@F^-$, $2@F^-$, $4@F^-$ and $6@F^-$, the $d_{\text{penetration}}$ are much negative values since there is no anion- π interaction in them, while the $d_{\text{penetration}}$ in strong anion- π interactions ($7@F^-$ and $8@F^-$) are distinctly larger than those in weak anion- π contact ($3@F^-$ and $5@F^-$).

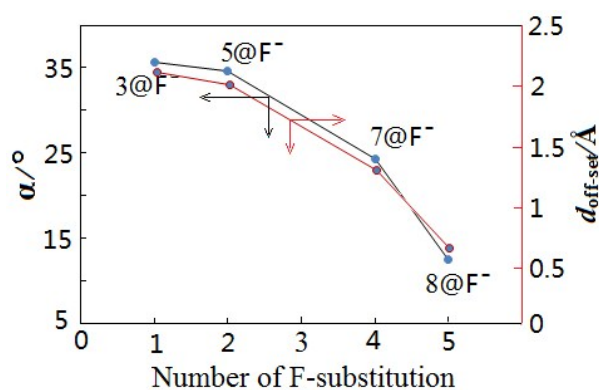


Figure 4 Trends of α and $d_{\text{off-set}}$ as a function of the number of F substitution.

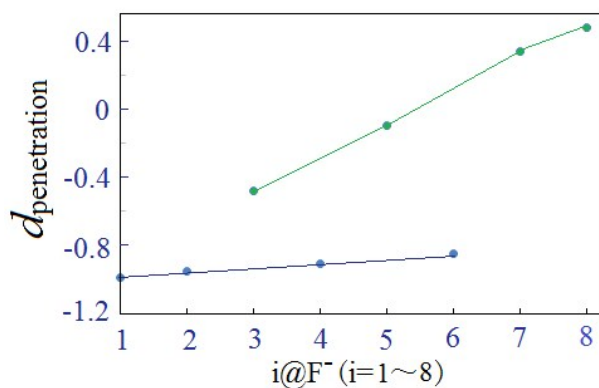


Figure 5 Distribution of $d_{\text{penetration}}$ in $i@F^-$ (i=1~8) complexes.

Table 3 shows that the critical value of d_{plane} increases from 3.48 to 4.30 Å, and that of α decreases from 51.81 to 41.96°, with the increasing of the ionic radii of halide

anion. The anion- π contacts in the receptor@X⁻ (receptor = **1**~**8**, X=Cl, Br, and I) complexes are not discussed here in detail, but the interactions between X⁻ (X=Cl, Br, and I) and the related aromatic ring can be classified according to the criterion (ieq(1)~(3)) together with the critical values listed in Table 3. The corresponding configuration features (see Table S1~S24) are similar to those of receptor@F⁻ (receptor = **1**~**8**) systems. It is worth to note that the model shown in Figure 3 is based on single-atom-anion system, but this kind of treatment and method is effective and portable for explorations on multi-atom complex-anion- π interaction systems as well.

Table 3 Intrinsic and critical parameters (Å, °, defined as Figure 3(b) showing) of halide-anion (X) for benzene based anion- π interaction

X ⁻	radii(X) ^[57]	vdW-radii(X) ^[29,42]	radii(X)+0.77	vdW-radii(X)+1.77	α_1	α_2
F ⁻	1.33	1.71	2.10	3.48	37.50	51.81
Cl ⁻	1.81	2.17	2.58	3.94	34.12	45.98
Br ⁻	1.96	2.35	2.83	4.12	32.94	43.33
I ⁻	2.20	2.53	2.97	4.30	31.84	41.96

Energy and its decomposition

Binding energy and related data are valid references for evaluating the stability of receptor@X⁻ complexes. Table 4 lists the intermolecular interaction energy ($\Delta E_{\text{int}}^{\text{CP}}$, kcal mol⁻¹) in the optimized geometries of the receptor@X⁻ (receptor = **1**~**8**; X = F, Cl, Br, and I) at B3LYP-D3/6-31+G(D, P) theoretical level, which is the energy difference between the complex and the sum of the individual energies of monomers with the correction of BSSE. It can be seen that the relative orders of the eight receptors binding to F⁻, Cl⁻, Br⁻, and I⁻ are completely same. For the receptor@F⁻, the $\Delta E_{\text{int}}^{\text{CP}}$ are in the range of 84~92 kcal·mol⁻¹, which are quite larger than those in receptor@Cl⁻, receptor@Br⁻ and receptor@I⁻ by about 28, 32 and 37 kcal·mol⁻¹, respectively. The relative stability of the four kinds complexes increases in the order

receptor@I⁻ < receptor@Br⁻ < receptor@Cl⁻ << receptor@F⁻, revealing that these receptors exhibit selective binding to F⁻. However, for a given halide anion, the $\Delta E_{\text{int}}^{\text{CP}}$ between any one of the receptors (1~8) and anion are not significantly large, indicating all of the four halide anions not showing the feature of selective binding towards to the eight receptors. The energy ($\Delta E_{\text{int}}^{\text{CP}}$) differences of the eight receptors binding to the same halide anion are not large enough, suggesting that the fluorine substituents do not have obvious substitution effect on the binding energy. This is probably, on one hand, because the energy loss caused by the deform energy of the receptor counteracts the stabilization of the anion- π interaction. On the other hand, the anion- π interaction is much weaker than the double-dentate N-H...X⁻ hydrogen bond which plays a leading role in the recognition of anions.

Table 4 BSSE corrected intermolecular interaction energy ($\Delta E_{\text{int}}^{\text{CP}}$, kcal mol⁻¹) in the optimized geometries of the receptor@X⁻ (receptor = 1~8; X = F, Cl, Br, and I) at B3LYP-D3/6-31+G(D, P)

Species	$\Delta E_{\text{int}}^{\text{CP}}$			
	X=F	X=Cl	X=Br	X=I
1@X ⁻	-87.91	-60.26	-55.48	-50.17
2@X ⁻	-90.32	-62.47	-57.66	-51.95
3@X ⁻	-84.30	-57.74	-53.16	-48.99
4@X ⁻	-92.57	-64.33	-59.44	-53.13
5@X ⁻	-86.55	-59.93	-55.31	-50.87
6@X ⁻	-93.32	-65.36	-60.45	-56.08
7@X ⁻	-89.95	-63.30	-58.63	-53.77
8@X ⁻	-92.14	-65.29	-60.42	-55.25

Although anion- π interaction does not significantly effect on the total binding energy and the structures of double-dentate N-H...X⁻ (X=F, Cl, Br and I) hydrogen bonds, F-substitution on the aromatic ring is very important to the configuration and the formation of effective anion- π interaction between receptor and halide. Different

F-substitution position and substituent number lead to the selectivity of the receptors in the anion- π interaction. In the present systems, anion- π contact may not take place without F-substitution on the aromatic ring. Although the strength of the anion- π interaction is weak as F-substituent occupies the fifth position of the benzene ring, the F-group on this position is crucial to meet the geometric criterion of anion- π contact. Independently on other substitution positions, anion- π would form if the fifth position on the benzene ring is substituted by F group. In addition, it is noted that when the number of F-substituents is not smaller than 4, anion- π contact will exist no matter if there is F-substituent on the fifth position. Nevertheless, when the number of F-substituents is smaller than 4, F-substitution on the fifth position is prerequisite for the existence of anion- π contact. Unexpectedly, independently on halide anion, the total binding energies of receptor **4** and **6** to the four anions are relatively larger than those of others, which probably is attributed to electron effect of F groups on the strength of double-dentate N-H \cdots X⁻ hydrogen bond in part.

Table 5 Components to the binding energy (ΔE_b , kcal mol⁻¹) in the optimized geometries of the receptor@F⁻ (receptor = 1~8) with LMO-EDA method and the deformation energy of the receptors

Species	ΔE_{ES}	ΔE_{EX}	ΔE_{POL}	ΔE_{DISP}	ΔE_{REP}	ΔE_b
1@F⁻	-100.69	-44.11	-57.55	-11.84	128.99	-85.20
2@F⁻	-103.43	-44.10	-57.23	-11.12	128.60	-87.58
3@F⁻	-97.77	-44.58	-59.49	-11.49	131.99	-81.35
4@F⁻	-106.13	-44.83	-57.02	-12.38	130.56	-89.81
5@F⁻	-100.19	-44.68	-58.85	-11.71	131.90	-83.54
6@F⁻	-106.24	-44.04	-56.16	-12.36	128.25	-90.55
7@F⁻	-104.88	-45.61	-57.86	-12.07	133.72	-86.70
8@F⁻	-106.95	-45.28	-56.99	-12.21	132.66	-88.78

For further understanding the nature of the interactions between the receptors and halide anions, energy decomposition analysis based on LMO-EDA was performed,

and the results are listed in Table 5. The binding energy ΔE_b is defined as the sum of deformation energy ΔE_d of the receptors and intermolecular interaction energy $\Delta E_{\text{int}}^{\text{CP}}$, and can be further decomposed into electrostatic (E_{ES}), exchange (E_{EX}), polarization (E_{POL}), repulsion (E_{REP}) and dispersion (E_{DISP}) components as shown in eq (2) based on LMO-EDA method:

$$\Delta E_b = \Delta E_{\text{ES}} + \Delta E_{\text{EX}} + \Delta E_{\text{POL}} + \Delta E_{\text{DISP}} + \Delta E_{\text{REP}} \quad \text{eq (2)}$$

Among them, the contributors E_{ES} , E_{EX} , E_{DISP} and E_{POL} are attractive while the E_{REP} is repulsive. It is quite obvious that the total interaction energy ΔE_b has a trend which closely resembles that of the electrostatic energy ΔE_{ES} . This leads to the inference that, in the current interactions, the term E_{ES} is the dominating contributor rather than E_{POL} or E_{EX} in stabilizing the complex. The E_{DISP} contribution is the smallest among the four attractive components.

Frontier molecular orbital (FMO) and visualized weak interactions regions

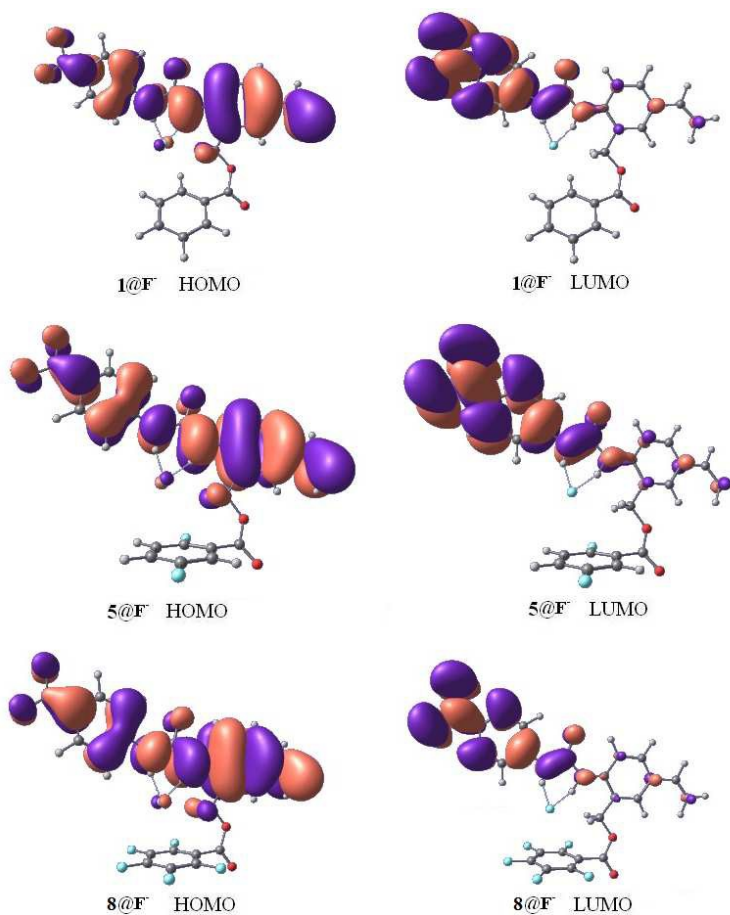


Figure 6 Frontier orbital of some selected complexes ($1@F$, $5@F$, and $8@F$).

Figure 6 shows the highest occupied molecular orbital (HOMO) and the lowest unoccupied molecular orbital (LUMO) of the **1@F⁻**, **5@F⁻**, and **8@F⁻** complexes, and the frontier orbital of **2@F⁻**, **3@F⁻**, **4@F⁻**, **6@F⁻**, and **7@F⁻** complexes are presented in Figure S1 of the supporting information. It is known that molecular orbitals are not able to be observed physically, however, the properties of the frontier orbitals are often closely related to the electron behaviors. Generally speaking, if the frontier orbitals are extended across the two fragments of the complex, charge transfer is suggested. As shown in Figure 6 and Figure S1, free from the influence of F-substitutions on the aromatic rings, all the HOMOs of different configurations have similar shapes and distributions, and all the LUMOs are similar as well. Moreover, the HOMOs of the complexes are localized both on the receptor molecules and halide anion, indicating the charge transfers between receptors and halide anions due to the strong hydrogen bond interaction^[42]. For more completeness, the energy level and gaps of the frontier molecular orbital of receptor@F⁻ (receptor = **1~8**) are listed in Table 6. Although F-substitutions on the phenyl ring have significant effect on the gaps, the FMO gaps of the two complexes (**7@F⁻** and **8@F⁻**) with the strongest anion- π interaction among the eight complexes, are the largest, indicating that **7@F⁻** and **8@F⁻** are the two most kinetically stable complexes among the receptor@F⁻ systems.

Table 6 Energy level and gaps of the frontier molecular orbital

Species	E _{HOMO} /eV	ΔE_{LUMO} /eV	E _{Gap} /kJ mol ⁻¹
1@F⁻	-3.26	-0.31	284.64
2@F⁻	-3.33	-0.36	286.46
3@F⁻	-3.20	-0.26	283.80
4@F⁻	-3.38	-0.39	288.65
5@F⁻	-3.26	-0.30	285.98
6@F⁻	-3.42	-0.41	289.82
7@F⁻	-3.35	-0.32	291.90
8@F⁻	-3.39	-0.35	293.13

The electrostatic potential (ESP) distributed on molecular van der Waals surface (iso-surface of electron density=0.001a.u.) is very meaningful for the understanding the characteristic of noncovalent interactions. Figure 7 shows the contour maps (upper)

of ESP together with van der Waals interfaces (bold blue) and 3D maps of ESP surfaces (lower) of **1@F⁻** and **8@F⁻**. In addition, the contour maps of ESP together with van der Waals interfaces (bold blue) and 3D maps of ESP surfaces of free receptor **1** and **5@F⁻** complex are presented in Figure S2 in the supporting information. ESP distributions of free **1** and **1@F⁻** are nearly identical to each other, and their van der Waals surfaces are also similar. ESP near anion F⁻ in **5@F⁻** is slightly different compared to those in **1** and **1@F⁻**, but that in **8@F⁻** is obviously deformed owing to the induced-polarization, manifesting some nature of the anion- π interaction [26, 34]. As has been seen from 3D maps of ESP surface, more fluorine groups on the aromatic ring benefit enhancing the anion- π interaction.

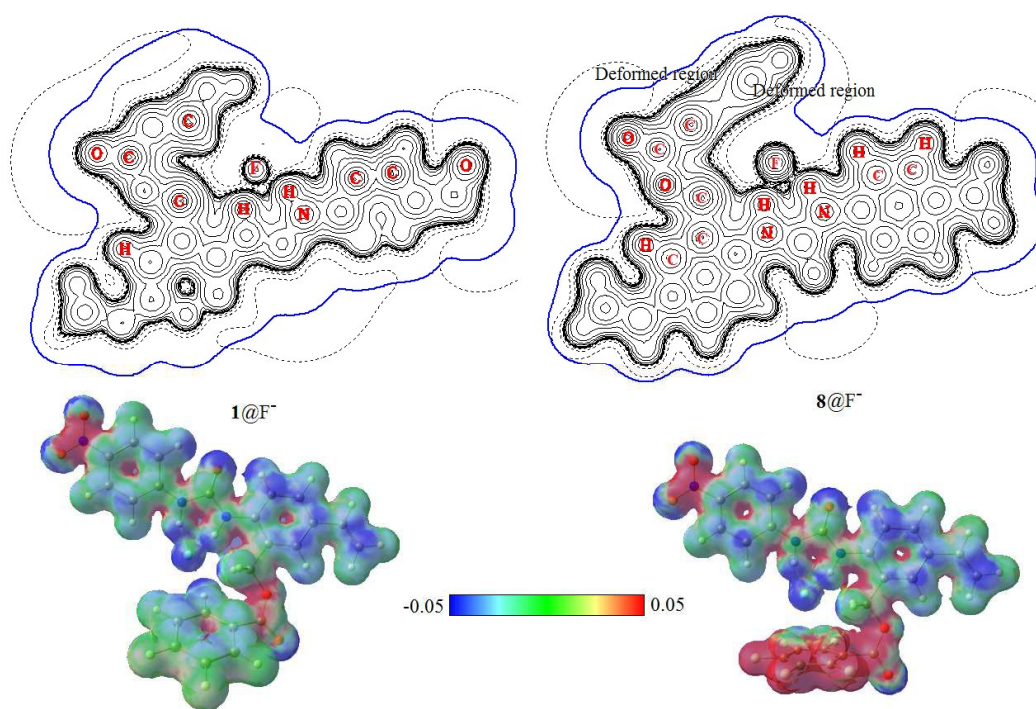


Figure 7 Contour maps (upper) of electrostatic potential and van der Waals interface (bold blue) and 3D maps (lower) of ESP surface of **1@F⁻** and **8@F⁻**.

Intermolecular weak interactions can be detected and visualized in real space based on the electron density ρ and its derivatives [51], viz. the reduced density gradient (RDG), coming from the electron density ($\rho(\mathbf{r})$) and its first derivative ($\text{RDG}(\mathbf{r})=1/(2(3\pi^2)^{1/3})|\nabla\rho(\mathbf{r})|/\rho(\mathbf{r})^{4/3}$), and the second largest eigenvalue (λ_2) of Hessian matrix of electron density functions. Figure 8 shows the visualized weak interaction

regions (left) and the scatter graph (right) of reduced density gradient versus the electron density multiplied by the sign of the second Hessian eigenvalue of $3@F^-$, $5@F^-$, $7@F^-$ and $8@F^-$. Those of $1@F^-$, $2@F^-$, $4@F^-$ and $6@F^-$ are also plotted in Figure S2 in the supporting information.

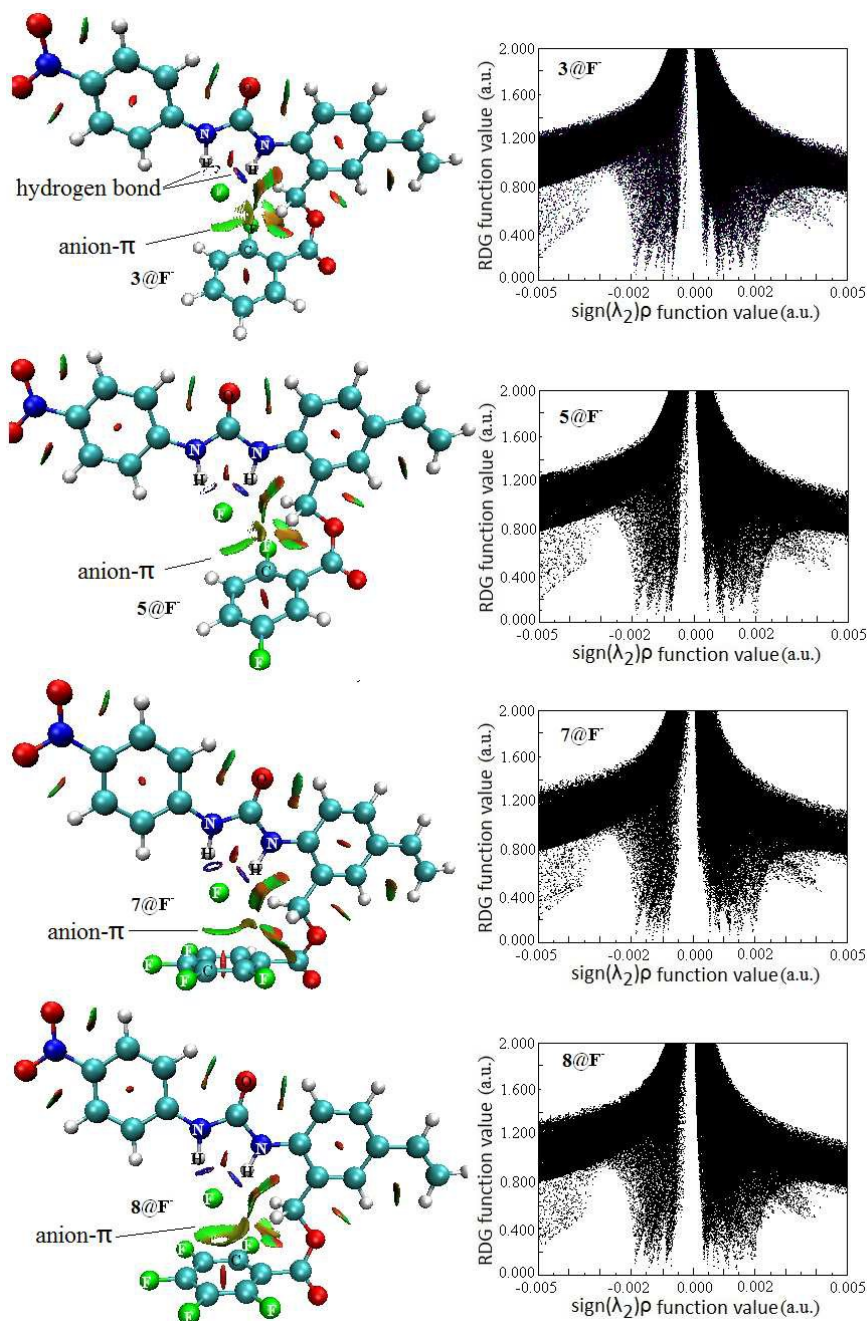


Figure 8 Reduced density gradient iso-surface map (Left) and reduced density gradient versus the electron density multiplied by the sign of the second Hessian eigenvalue (Right) of $3@F^-$, $5@F^-$, $7@F^-$ and $8@F^-$.

It is clearly shown that the heavy blue disc-shapes between N-H and F⁻ exist in all receptor@F⁻ complexes, suggesting a very strong hydrogen bond interaction. However, they are very different in the anion- π interaction regions. In **3**@F⁻, **5**@F⁻, **7**@F⁻ and **8**@F⁻, the dish-shapes regions marked in green accompanied with light-brown between F⁻ and aromatic ring mirror the anion- π noncovalent interaction. However, the corresponding weak interaction regions in **1**@F⁻, **2**@F⁻, **4**@F⁻ and **6**@F⁻ do not exist anymore (Figure S3). Additionally, the anion- π interaction regions in **8**@F⁻ and **7**@F⁻ are obviously larger than those in **3**@F⁻ and **5**@F⁻, implying that the anion- π interactions in former two are relatively stronger, which is well consistent with the geometric feature and criterion discussion. Generally, the RDG spike appearing at higher electron density (more negative function value of $\text{sign}(\lambda_2)\rho$) region corresponds to a stronger hydrogen bond, and the RDG spike appearing at lower electron density near to zero (near zero of function value of $\text{sign}(\lambda_2)\rho$) region corresponds to other weak intermolecular interactions. There is no substantial difference between scatter graphs of **3**@F⁻, **5**@F⁻, **7**@F⁻ and **8**@F⁻ in the whole range of $\text{sign}(\lambda_2)\rho$ function, so does for those of **1**@F⁻, **2**@F⁻, **4**@F⁻ and **6**@F⁻. Whereas, by a close comparison, the RDG spikes in the former four complexes appearing at lower electron density are more closer to zero than those in the later four complexes, which probably derived from the contributions of the anion- π interaction in **3**@F⁻, **5**@F⁻, **7**@F⁻ and **8**@F⁻ complexes.

4. Conclusions

The design and structure-activity relationship of anion receptors represents important advances in the field of supramolecular chemistry. In this paper, the interactions between halide anions and a series *N*-(4-vinyl-2-benzoic acid benzyl ester)-phenyl-urea containing receptors (**1**~**8**) based on hydrogen bond and (or) anion- π contact were investigated *via* theoretical calculations based on DFT B3LYP-D3/6-31+G(D, P)/MIDIX levels. Especially, the fluorine substitution effects were re-clarified and deeply explored owing to the number and position of fluorine

groups on the phenyl ring of the benzoic acid ester, which is significantly effect on the configuration and cooperative property of the hydrogen bond and anion- π interactions, w anion binding energies are not effected obviously. Based on Frontera's research^[29] on the geometry of the anion- π interaction, we proposed a new geometric criterion of halide-anion- π contact independently of any empirical parameters, as following three inequalities (ieq (1)~(3)):

$$d_{\text{plane}} < \text{vdW-radii}(X^-) + 1.77 \text{ \AA} \quad \text{ieq (1)}$$

$$d_{\text{off-set}} < 2.67 \text{ \AA} \quad \text{ieq (2)}$$

$$\alpha < \alpha_2 \quad \text{ieq (3)}$$

Although the above criterion was established based on single-atom-anion involving system, this kind of treatment and method is effective and portable for explorations on multi-atom complex-anion- π interaction systems as well. Moreover, it is expected that the theoretical exploration from a molecular level in this work should be useful for understanding of aromatic system-based anion- π interactions and benefit the future experimental study.

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Graphic abstract

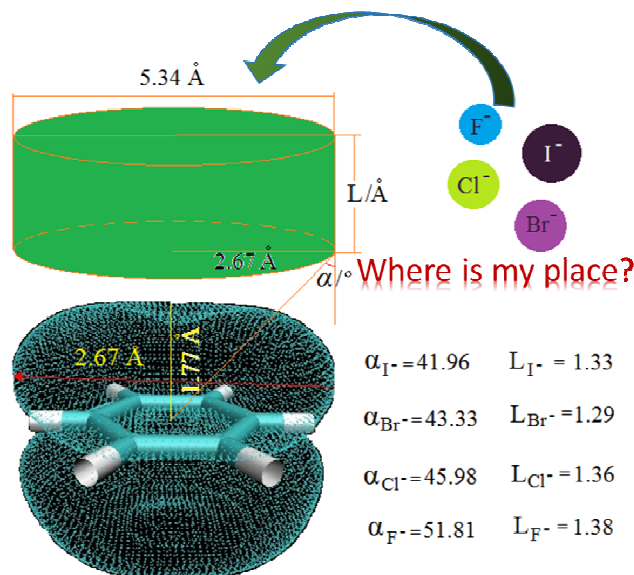
Fluorine Substitution Effects of Halide Anion Receptors Based on Combination of Distinct Hydrogen Bond and Anion- π Noncovalent Interactions: A Theoretical Investigation

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Fluorine-substitution effects on anion- π interaction were deeply explored, and a more feasible and rational geometric criterion for halide-anion- π contact is established *via* three inequalities.

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