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# Magnetically actuated hydrogel-based capsule microrobots for intravascular targeted drug delivery†

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Microrobots for targeted drug delivery in blood vessels have attracted increasing interest from researchers. In this work, hydrogel-based capsule microrobots are used to wrap drugs and deliver drugs in blood vessels. In order to prepare capsule microrobots of different sizes, a triaxial microfluidic chip is designed and built, and the formation mechanism of three flow phases including the plug flow phase, bullet flow phase and droplet phase during the preparation of capsule microrobots is studied. The analysis and simulation results show that the size of the capsule microrobots can be controlled by the flow rate ratio of two phases in the microfluidic chip, and when the flow rate of the outer phase is 20 times that of the inner phase in the microfluidic chip, irregular multicore capsule microrobots can be prepared. On this basis, a three degree of freedom magnetic drive system is developed to drive the capsule microrobots to reach the destination along the predetermined trajectory in the low Reynolds number environment, and the magnetic field performance of the magnetic drive system is simulated and analyzed. Finally, in order to verify the feasibility of targeted drug delivery of the capsule microrobots in the blood vessel, the motion process of the capsule microrobots in the vascular microchannel is simulated, and the relationship between the motion performance of the capsule microrobots and the magnetic field is studied. The experimental results show that the capsule microrobots can reach a speed of  $800 \mu\text{m s}^{-1}$  at a low frequency of 0.4 Hz. At the same time, the capsule microrobots can reach a peak speed of  $3077 \mu\text{m s}^{-1}$  and can continuously climb over a  $1000 \mu\text{m}$  high obstacle under a rotating magnetic field of 2.4 Hz and 14.4 mT. Experiments show that the capsule microrobots have excellent drug delivery potential in similar vascular curved channels driven by this system.

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## 1 Introduction

Cardiovascular diseases such as myocardial infarction, stroke, blood clots, and peripheral artery disease are potentially life-threatening diseases, and it is estimated that more than one-third of people in the world die from cardiovascular disease.<sup>1,2</sup> In the early stages, the typical treatment for cardiovascular disease is intravenous. However, this approach is poorly targeted, and the high dose injection and rapid spread of drugs can have toxic side effects on other healthy cells and tissues, so newer and better treatments are needed. Targeted delivery of drugs can improve deficiencies in traditional therapies by delivering drugs to specific sites, improving the therapeutic efficacy.<sup>3,4</sup>

Hydrogels are considered to be ideal carriers for targeted drug delivery due to their good biocompatibility and gradual

degradation *in vivo*.<sup>5–7</sup> A large number of studies have shown that the use of magnetic hydrogels can induce the on-demand release of drugs at the right place and time with the best concentration by precisely adjusting external stimuli, which can not only reduce the enzymolysis of drugs and toxicity to other tissues, but also extend the administration time. In addition, the remote application of the external magnetic field has no limit on the depth of tissue penetration, and there is almost no harm to the human body. Therefore, magnetic response targeting and controlled release of drugs in hydrogels have attracted much attention as novel and effective drug delivery methods.<sup>8–10</sup> At present, magnetic hydrogels with multiple response characteristics such as pH response,<sup>11</sup> thermal response<sup>12,13</sup> and magnetic response<sup>14</sup> have been developed, as well as magnetic hydrogels with various shapes, such as spiral,<sup>15</sup> spherical<sup>16</sup> and bionic.<sup>17</sup> With the wide application of microrobots, microrobots based on magnetic hydrogels have been developed effectively. However, for practical applications of microrobots in biomedicine, there are still many research studies to be performed in terms of biocompatibility,<sup>18</sup> cytotoxicity,<sup>19</sup> drug loading modes of

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microrobots<sup>20</sup> and control of microrobots.<sup>21</sup> Magnetic field driving modes of microrobots can be divided into three types: rotating magnetic field,<sup>22</sup> gradient magnetic field<sup>23</sup> and oscillating magnetic field.<sup>24</sup> These magnetic actuation methods have been proven to be safe and efficient, and it can drive the magnetic microrobots to accurately reach the target position through controllable actuation.<sup>25,26</sup> Based on the aforementioned controllable actuation of the microrobots and various model analyses for the transport of druggable particles in the microvasculature,<sup>27,28</sup> it is possible to realize the targeted drug delivery of the capsule microrobot in the blood vessel by magnetic actuation.

Compared with the random diffusion method of traditional drug injection for cardiovascular disease treatment, the manipulation of the capsule microrobots in a liquid environment inside the vessel would be more flexible. However, the current research on capsule microrobots mainly focuses on the drug loading performance, drug release mode, and performance studies on various single magnetic field systems.<sup>29–32</sup> The fabrication mechanism, repetitive fabrication, and size controllability of the capsule microrobot with different shapes and sizes still need to be studied in depth. In addition, the complexity, high cost, and difficulty in manipulation of the microrobot actuating device and actuating mode also need to be improved.<sup>33,34</sup>

Here, we conducted an in-depth study focusing on the above issues. A three coaxial microfluidic chip is designed and constructed for this purpose. In depth, the fabrication mechanism, size controllability, and reproducible fabrication of different shaped and sized capsule microrobots in microfluidic chips are studied, and the plug, bullet, and droplet flows occurring during the formation of the capsule microrobots are simulated and analyzed. To guarantee the operation of the capsule microrobot, a facile, low-cost, and user-friendly three degrees

of freedom magnetic driven system is built, and the performance of the magnetic driven system is simulated and analyzed. In order to verify the feasibility of targeted drug delivery of the capsule microrobot in blood vessels, the motion process of the capsule microrobot in the blood vessel microchannel is simulated, the relationship between the motion performance of the capsule microrobot and magnetic field is studied, and the obstacle crossing ability of capsule microrobot under the control of this system is analyzed. Finally, an experiment is conducted to verify the above research. Compared with rigid capsule microrobots reported for drug transport in the gastrointestinal tract,<sup>35,36</sup> our capsule microrobots are easier to prepare, cost less and due to the use of biocompatible materials, cause less damage to human tissues due to the use of biocompatible materials. Compared with capsule microrobots that use the same materials for drug delivery,<sup>37,38</sup> our capsule microrobots will have lower cost, higher responsive sensitivity, good motion efficiency and maneuverability. Fig. 1 shows the schematic diagram of the capsule microrobot achieving drug targeting in blood vessels. After the capsule microrobot is prepared by a triaxial microfluidic chip, it is injected intravenously with a syringe, and targeted drug delivery is carried out in blood vessels through an external magnetic field.

## 2 Experimental section

### 2.1 Materials

Deionized water is purified using a purifier. Mineral oil, span 80, glacial acetic acid, and  $\text{CaCl}_2$  are purchased from Shanghai Sinopharm Group Chemical Reagent Co., Ltd.  $\text{Fe}_3\text{O}_4$  nanoparticle is purchased from the Suzhou Beasley New Material Co., Ltd.

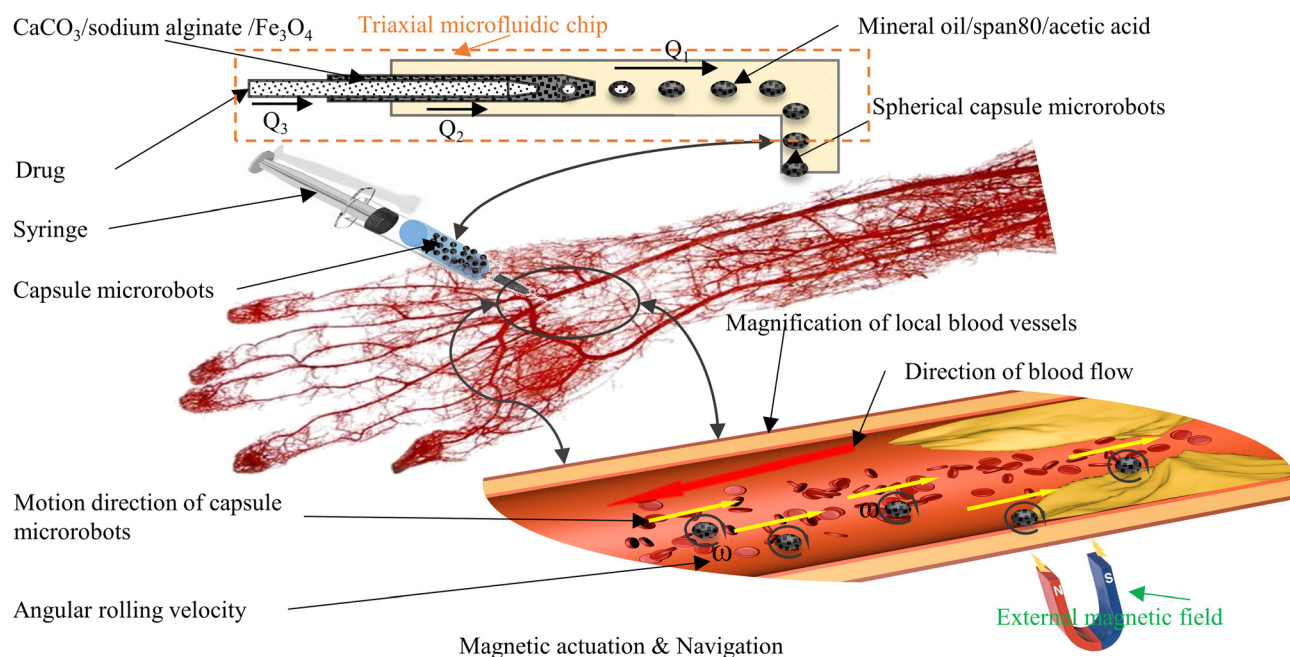


Fig. 1 Schematic of targeted drug delivery by capsule microrobots in blood vessels.

Sodium alginate is purchased from the Tianjin Fuchen Chemical Factory and  $\text{CaCO}_3$  is purchased from the Wuxi Yatai United Chemical Co., Ltd. Indomethacin is purchased from Sinopharm Chemical Reagent Co., LTD.

## 2.2 Preparation of microfluidic chips

The microfluidic chip uses capillary glass tubes as the main material, and the glass tubes are nested within each other to form several microchannels. The core of the device is a three-coaxial structure, which can generate the core-shell droplet in one step. Two glass tubes with an inner diameter of 0.2 mm, an outer diameter of 0.3 mm and an inner diameter of 0.9 mm, an outer diameter of 1.1 mm are pulled off by using a PC-100 multifunctional tensioner, and sharp points are produced. The sharp points are sanded until the aperture remained around 300  $\mu\text{m}$  for the introduction of internal and medium phase solutions of microfluidic chips. Another glass tube with an inner diameter of 1.8 mm and an outer diameter of 2 mm is used for the introduction of the external phase solution of the microfluidic chip without any treatment. In the case of ensuring that the three glass tubes are coaxial, they are fixed on the PMMA plastic sheet using adhesive. The glass tube used for the external phase input needs to extend 10 mm compared to the plastic sheet to facilitate solution collection. Finally, an adhesive is used to bond the pipette head to the three glass tube input ends for easy connection of the flow pump.

## 2.3 Construction of the magnetic drive system

In order to realize the transportation of the capsule microrobot, a coil system with three degrees of freedom (two X-axis coils, two Y-axis coils, and two Z-axis coils with a diameter of 0.35 mm) is established. The drive hardware of the coil system consists of the system controller motherboard and a coil drive board and a DC power supply (Fig. 2(a)). The main controller uses a STM32F103ZET6 control chip, mainly using PWM, IO, software timer, UART module and other system resources. The bottom layer of the system is designed and communicated by FreeRTOS, an embedded real-time operating system. The output of PWM will be interrupted by the software timer in the main controller to generate a control signal, and then the IR2104 will control the on-off of the MOS tube IRF3205 to drive the electromagnetic coil. The camera on the top of the coil can collect the real-time motion image of the capsule microrobots and send it back to the main controller screen. Artificial control of capsule microrobots speed and direction will be allowed by screen mapping. The current of the three axial coils is provided by an external adjustable power supply, and the current magnitude, direction and frequency can be precisely controlled by controlling the PWM duty cycle. The components of the magnetic field on each axis can be adjusted by an electric current and generate spatially uniform magnetic fields as needed.

## 2.4 Design of propulsion experiment for capsule microrobots

To characterize the movement behavior of the capsule microrobots in the blood vessel, the capsule microrobots are dispersed in a plastic container (30 mm  $\times$  30 mm  $\times$  20 mm) made of PMMA, which is placed in the center of the platform. The container is

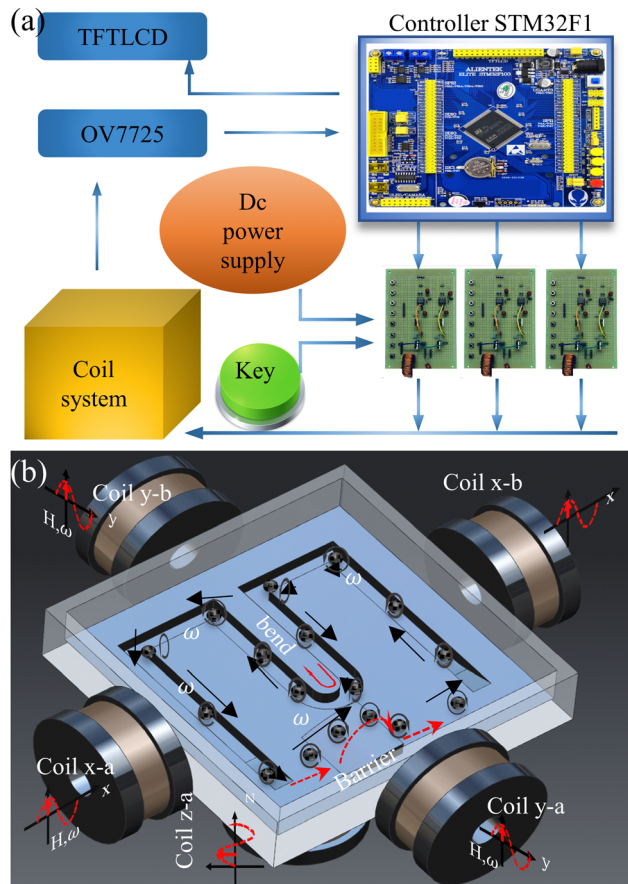


Fig. 2 (a) Schematic of magnetic drive system connection. (b) Schematic of simulated transport by the capsule microrobots.

carved with simulated vascular microchannels at the bottom and filled with  $\text{CaCl}_2$  solution (Fig. 2(b)). The main controller and coil are used to apply a suitable rotating magnetic field, and the OV7725 camera continuously records the movement. After extracting the image, the movement speed of the capsule microrobots can be accurately calculated according to the distance it moves in a certain time. In addition, in order to simulate, as much as possible, the obstruction encountered by the movement of the capsule microrobots in the blood vessel, an epoxy adhesive is used to set up a raised barrier at the bottom of the container. And based on the analysis of the advance process of capsule microrobots, the ability to accurately locate and overcome obstacles is tested.

# 3 Results and discussion

## 3.1 Preparation process of capsule microrobots

Calcium alginate hydrogel is widely used in the field of drug encapsulation and tissue engineering due to its spherical shape, small size, and low cost. The magnetic hydrogel based on calcium alginate not only has good biocompatibility, but also can respond to the changes in the external magnetic field. From the perspective of application scenarios, it is the most suitable for drug targeting.



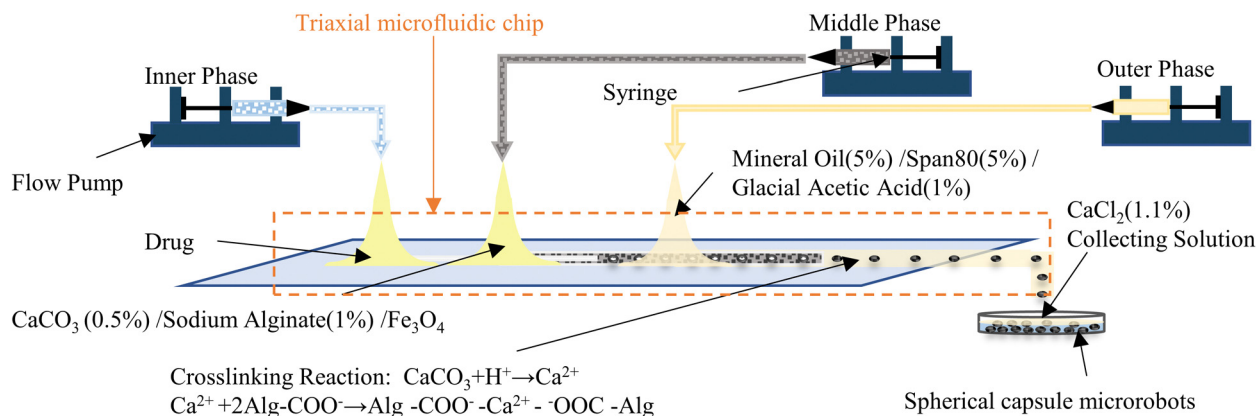


Fig. 3 Schematic of the preparation process of capsule microrobots.

Fig. 3 shows the preparation process of capsule microrobots (see Video S1, ESI†). Three syringe pumps and syringes are used in the experiment. Indomethacin drug solution (0.3%(w/v)) is injected into the microchannel of the core layer, mixed solutions containing sodium alginate solution (1%(w/v)), CaCO<sub>3</sub> solution (0.5%(w/v)) and magnetic particles (2.5%(w/v)) are injected into the microchannel of the middle layer, and mixed solutions containing Span 80 (5%(v/v)), mineral oil (5%(v/v)) and glacial acetic acid (1%(v/v)) are injected into the gel phase of the shell layer. At the outlet of the microchannels in the inner core layer and the middle layer, the dispersed phase solution will break and form droplets due to the action of surface tension and shear force (relatively, the inner side is the dispersed phase and the outer side is the continuous phase). The surface tension determines the formation of droplets, and the shear force determines the fracture of the dispersed phase solution. The magnitude of the shear force is determined by the ratio  $R_q$  of the flow rate of the continuous phase ( $Q_c$ ) and the flow rate of the dispersed phase  $Q_d$ , and  $R_q$  also determines the size and shape of the droplets. In the microfluidic chip, the plug flow phase, bullet flow phase and droplet phase can be formed in the microchannel by adjusting the ratio of two-phase flow velocity. The dynamic simulation of the two-phase flow of fluid in the pipe (only at the junction of the intermediate and outer layers, with the same interface principle) was performed using COMSOL multiphysics software (Fig. 4(a)). The fluid dynamics field in the microchannel is

solved by the incompressible N-S equation.

$$\rho \frac{\partial \mathbf{v}}{\partial t} + \rho (\mathbf{v} \cdot \nabla) \mathbf{v} = \nabla \cdot [-p\mathbf{I} + \eta(\nabla \mathbf{v} + (\nabla \mathbf{v})^t)] + \mathbf{F}_{st} \quad (1)$$

$$\nabla \mathbf{v} = 0 \quad (2)$$

Where  $\rho$  is the density of the fluid,  $\mathbf{v}$  is the flow velocity field,  $p$  is the pressure of the fluid,  $\mathbf{I}$  is the unit diagonal matrix,  $\eta$  is the dynamic viscosity, and  $\mathbf{F}_{st}$  is the surface tension. The phase field interface uses the following equation:

$$\frac{\partial \phi}{\partial t} + \mathbf{v} \cdot \nabla \phi = \nabla \cdot \left( \frac{\gamma \lambda}{\varepsilon^2} \nabla \phi \right) \quad (3)$$

$$\phi = -\nabla \cdot \varepsilon^2 \nabla \phi + (\phi^2 - 1)\phi + \left( \frac{\varepsilon^2}{\lambda} \right) \frac{\partial f_{\text{ext}}}{\partial \phi} \quad (4)$$

where  $\phi$  is the phase field variable,  $\lambda$  is the mixed energy density,  $\gamma$  is the mobility ( $\gamma = \chi \varepsilon^2$ ,  $\chi$  is the migration adjustment coefficient),  $\varepsilon$  is the capillary density,  $\phi$  is the phase field cofactor, and  $f_{\text{ext}}$  is the external free energy. The density and viscosity properties of a fluid are controlled by the following equation:

$$V_f = \min \left( \max \left( \left[ \frac{(1 + \phi)}{2} \right], 0 \right), 1 \right) \quad (5)$$

$$\rho = \rho_c + (\rho_d - \rho_c)V_f \quad (6)$$

$$\mu = \mu_c + (\mu_d - \mu_c)V_f \quad (7)$$

where  $\rho_c$  and  $\rho_d$ ,  $\mu_c$  and  $\mu_d$  are the density and viscosity of the continuous and dispersed phase fluids respectively.

When  $R_q$  is large, a droplet is formed, and when  $R_q$  is small, a plug flow is formed. Fig. 4a(i) shows when the  $Q_d$  constant and  $Q_c$  increase from zero, because the flow rate of the continuous phase at this time is not enough to completely break the binding of the viscous force on the dispersed phase solution, and the rapid gel of sodium alginate solution and Ca<sup>2+</sup>, the microchannel will be completely blocked. When  $Q_c$  continues to increase, the inner solution begins to show fracture and the blockage appears broken, but at this point, it is still a plug flow (Fig. 4a(ii)). When

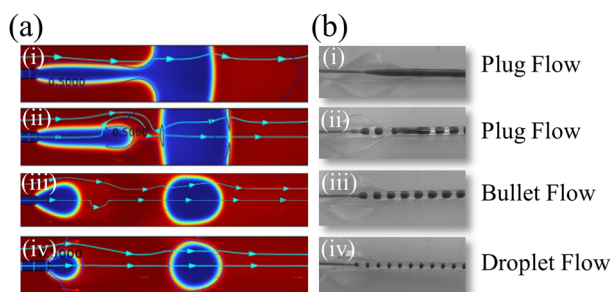


Fig. 4 (a) Simulated diagrams of three flow phases: plug phase, bullet phase and droplet phase in the microfluidic chip. (b) Experimental diagrams of three flow phases: plug phase, bullet phase and droplet phase in the microfluidic chip.



$Q_c$  increases to a certain value ( $Q_c > Q_d$ ), the blockage disappears and forms bullet-shaped droplets (Fig. 4a(iii)). When  $Q_c$  continues to increase, the fracture situation intensifies, ultimately forming spherical droplets in the periodic competition between the viscous force and surface tension (Fig. 4a(iv)). Fig. 4(b) shows the experimental results. When  $Q_c = 0$ , the microfluidic chip is blocked (Fig. 4b(i)). When  $Q_c = 0.5Q_d$ , the blockage broke (Fig. 4b(ii)). When  $Q_c = Q_d$ , a bullet-shaped capsule microrobot is generated in the microfluidic chip. When  $Q_c = 1.5Q_d$ , a spherical capsule microrobot is generated within the microfluidic chip. The simulation diagram corresponds to the experimental result diagram one by one, with a high degree of consistency.

The four processes of droplet generation in the microchannel are simulated in Fig. 5a(i–iv) (droplet will generate capsule microrobots after the gel reaction), and at the same time, a series of studies on the influence of the flow rate ratio  $R_q$  of the two-phase solution on the shape and size of the droplets are conducted. In the experiment,  $Q_d$  is maintained at  $0.2 \text{ mL min}^{-1}$ , when  $0 \text{ mL min}^{-1} \leq Q_c \leq 0.15 \text{ mL min}^{-1}$  ( $0 \leq R_q \leq 0.75$ ), due to the rapid gel reaction of the outermost layer, a stable plug flow will be formed, and this process will cause blockage in the device. When  $0.15 \text{ mL min}^{-1} \leq Q_c \leq 0.32 \text{ mL min}^{-1}$  ( $0.75 \leq R_q \leq 1.65$ ), the blockage appears to break, and monodisperse bullet-shaped capsules are formed after the gel. When  $0.32 \text{ mL min}^{-1} \leq Q_c \leq 2 \text{ mL min}^{-1}$  ( $1.65 \leq R_q \leq 10$ ), the flow rate increased and the shear force increased, forming spherical capsule microrobots under the action of surface tension. However, it is worth noting that when the flow rate of the external phase increases to a certain value, the droplets are rapidly generated before the gel reaction

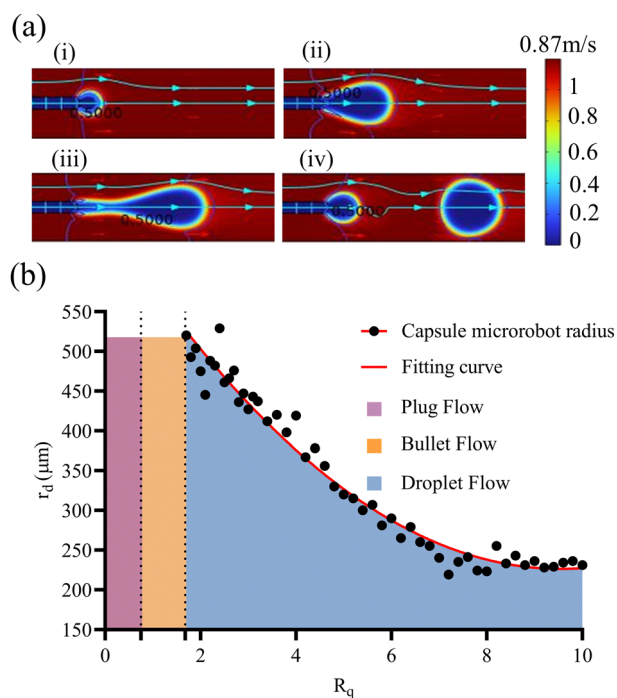


Fig. 5 (a) Simulation diagram of the formation process of spherical droplets. (b) The relationship curves of three flow phases and the size of capsule microrobot with different  $R_q$ .

begins, and it is easy for two capsules to adhere to each other. Fig. 5(b) depicts the relationship between the flow rate ratio and the capsule radius and the fitting curve of the spherical capsule microrobots ( $R_d = 669.1472 - 92.7771x + 4.8577x^2$ ), which shows that the size of the spherical capsule microrobots can be realized by the adjustment of the flow rate as required. Fig. 6 shows the capsule microrobots actually prepared using the microfluidic chip. Fig. 6(i) and (ii) respectively show the capsule microrobots prepared when  $Q_c$  is  $2 \text{ mL min}^{-1}$  and  $4 \text{ mL min}^{-1}$ . It can be seen that when the continuous phase flow rate exceeds a certain value, the shape of the capsule microrobots will gradually change from spherical to irregular multi-core shape. Fig. 6(iii) shows the capsule microrobots with a diameter of  $460 \text{ μm}$  (flow rate of  $0.01 \text{ mL min}^{-1}$  for the core layer,  $0.1 \text{ mL min}^{-1}$  for the middle layer, and  $1 \text{ mL min}^{-1}$  for the shell layer). Fig. 6(iv) is the structure diagram of the capsule microrobots. In addition, comparisons were made with reported microfluidic devices and preparation techniques, which are listed in Table 1. From previous studies in Table tbl:example1, it can be seen that although the T-shaped microfluidic device adopted by W. Chen *et al.* (2021)<sup>20</sup> could be generated at a low cost, the hydrogel microspheres prepared were large in size, low in surface quality, and employed a more complex soft lithography process. K. Enck *et al.* (2020)<sup>39</sup> could prepare hydrogel microspheres of a smaller size and higher surface quality, but they used the laser cutting process, resulting in a higher cost. Z. Chen *et al.* (2022)<sup>40</sup> used a similar method to the one used in this experiment, but it used mechanical processing technology, making the operation more complex. E. Um *et al.* (2008)<sup>41</sup> and M.-H. Wu *et al.* (2010)<sup>42</sup> were able to prepare smaller hydrogel microspheres using a double T-shaped microfluidic device, but the soft lithography process used made the operation more complex and costly. Similarly Y. Morimoto *et al.* (2009)<sup>43</sup> and Q. Zhang *et al.* (2019)<sup>44</sup> and H. Shieh *et al.* (2021)<sup>45</sup> have used different microfluidic devices, but all had high costs and complex manufacturing processes. The results show that the triaxial microfluidic chip designed by us can meet the requirements of high surface quality and low cost, and greatly reduce the complexity of the manufacturing process. The dimensional accuracy can

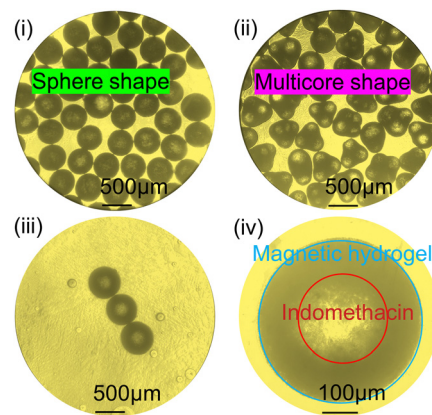


Fig. 6 (i) Monodisperse spherical capsule microrobots. (ii) Irregular multi-core shaped capsule microrobots. (iii) Capsule microrobots with a diameter of  $460 \text{ μm}$ . (iv) Schematic of the capsule microrobots structure.

**Table 1** Performance comparison of different microfluidic devices based on the preparation of hydrogel microspheres with different sizes

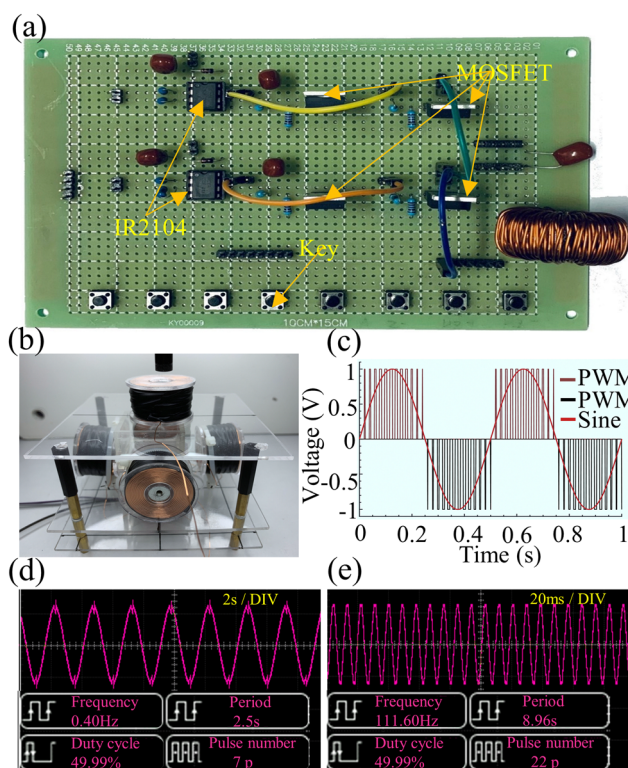
Microfluidic devices	Study	Dimensional accuracy	Surface quality	Manufacturing technology	Cost
T-shape	W. Chen <i>et al.</i> (2021)	7.5–20 $\mu\text{m}$	Low	Soft lithography	Low
	K. Enck <i>et al.</i> (2020)	80–100 $\mu\text{m}$	High	Laser cutting	High
Double coaxial	Z. Chen <i>et al.</i> (2022)	100–350 $\mu\text{m}$	High	Machining	Low
Double T-shaped	E. Um <i>et al.</i> (2008)	40–100 $\mu\text{m}$	High	Soft lithography	High
	M.-H. Wu <i>et al.</i> (2010)	150–370 $\mu\text{m}$	Low	Soft lithography	High
Axial symmetry	Y. Morimoto <i>et al.</i> (2009)	59–207 $\mu\text{m}$	High	Stereo lithography	High
	Q. Zhang <i>et al.</i> (2019)	44–93 $\mu\text{m}$	High	Soft lithography	High
Combination shape	H. Shieh <i>et al.</i> (2021)	92–195 $\mu\text{m}$	High	Soft lithography	High

be achieved by adjusting the size of the glass tube in the microfluidic equipment. The chip we designed can prepare drug-loaded capsule microrobots with good surface quality and high internal uniformity. The size and shape of the capsule microrobot can be adjusted by adjusting the ratio of the two-phase flow rates and can be prepared in bulk by this microfluidic chip.

### 3.2 Performance of the magnetic actuation system

The developed magnetic drive system outputs the control voltage through the coil drive board (Fig. 7(a)). The coil drive circuit consists of MOSFET, IR2104 and other switch components, which greatly reduces the complexity and cost of the drive system. The system uses a charged cylindrical coil to generate a magnetic field, and different magnetic fields can be applied by controlling the voltage. The constructed coil device is shown in Fig. 7(b). The magnetic drive system uses Sine PWM to generate a controllable sinusoidal voltage (Fig. 7(c)), and the amplitude of the sinusoidal voltage can be adjusted by adjusting the duty cycle of the square wave. Fig. 7(d) and (e) show the sinusoidal voltage of 0.4 Hz and 111 Hz output by the magnetic drive system. The frequency of sinusoidal voltage can be continuously adjusted from 0 to 111 Hz with an oscilloscope. At the same time, the peak sinusoidal voltage output by the magnetic drive system can be controlled by an external DC power supply.

In order to ensure the uniformity of the magnetic field in the device, the magnetic field distribution is simulated using COMSOL MultiPhysics software based on the established magnetic drive system. In Fig. 8(a–d), the magnetic flux density surface maps of three pairs of orthogonal coils under a certain voltage are given respectively. When the voltages of 12 V (Fig. 8(a)), 24 V (Fig. 8(b)) and 36 V (Fig. 8(c)) are applied, the three pairs of coils can produce magnetic fluxes of about 9 mT, 15 mT and 20 mT along the *X*, *Y* and *Z* directions, respectively. And when the voltage of 24 V (Fig. 8(d)) is applied to the two pairs of coils along the *X* and *Z* directions, a magnetic flux of about 25 mT along the 45° direction will be generated on the *X*–*Z* plane. In addition, the magnetic induction line in the simulation diagram shows a high uniformity of magnetic field intensity in the central region. To further verify the uniformity of the magnetic field, we used a Gauss meter to measure the magnetic field intensity in the central region under different voltages. The measurement results showed that at 12 V voltage, the coil can generate a magnetic field intensity of 8.2 mT; at 24 V voltage, the coil can generate a magnetic field intensity of 14.4 mT; and at a voltage of 36 V, the coil can generate a



**Fig. 7** (a) Schematic of the coil drive plate. (b) Schematic diagram of the coil device. (c) Schematic of the Sine PWM. (d) A sine wave at 0.4 Hz microcapsules. (e) A sine wave at 111 Hz microcapsules.

magnetic field intensity of 15.8 mT. After multiple measurements, the high uniformity of the magnetic field in the central region was confirmed, and the variation in the magnetic field intensity in the area wrapped by the coil was less than 3%. Because the coil is controlled by voltage, excessive heat loss will be generated when power is applied for a long time or the current is too large, which may be the main reason for the large difference between the measured value and the theoretical value. Therefore, it is necessary to limit the voltage, current and power-on time in the experiment.

In addition, we compare the reported systems in Table 2, where the orthogonal coil drive system established by C. Chen *et al.* (2019),<sup>46</sup> despite its low system complexity and cost, required constant changes in routing algorithms. S. Yu *et al.* (2019)<sup>47</sup> and Q. Fu *et al.* (2018)<sup>35</sup> used the three-axis Helmholtz

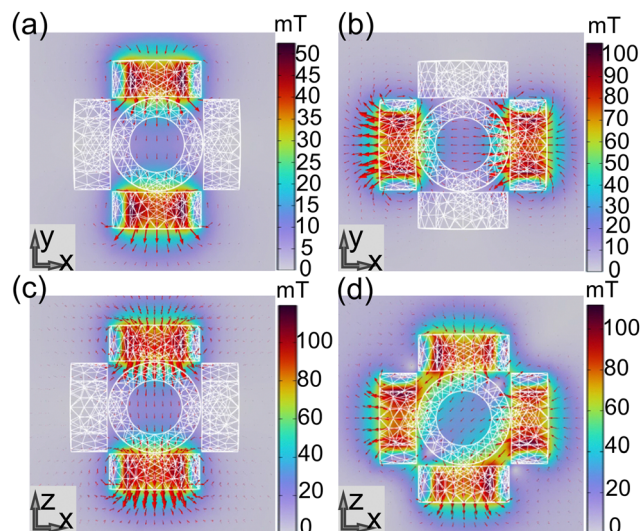


Fig. 8 (a) Magnetic field simulation results of the coil pairs in the Y direction (12 V). (b) Magnetic field simulation results of the coil pairs in the X direction (24 V). (c) Magnetic field simulation results of the coil pairs in the Z direction (36 V). (d) Magnetic field simulation results of the coil pair in the X–Z direction (24 V).

coil as the driving system, which had high system operability and low system complexity, but the system cost is expensive. M. P. Kummer *et al.* (2010)<sup>48</sup> and S. Schuerle *et al.* (2013)<sup>49</sup> and J. Nam *et al.* (2018)<sup>50</sup> all adopted multiple -degree of freedom drive systems, which required a plethora of coils. Moreover, due to the complex coupling behavior between magnetic fields, modeling and analysis are often required, so the feasibility of this system is relatively low. The results indicate that our system based on embedded development has lower complexity compared to the magnetic drive systems reported in Table 2. The use of keys for remote-control makes the system more operable. And the components we use greatly reduce system costs.

### 3.3 Magnetic actuation and motion control of capsule microrobots

In human blood vessels, although the Reynolds number near the peak of the aortic root or cardiac systole is often greater than 2100, most of them are in a low Reynolds number environment under normal conditions. Meanwhile, on the micron scale, low environments typically dominate. Therefore, when the blood flow in the blood vessel is assumed to be at a low Reynolds number, the viscous force will dominate the targeted delivery of drugs, and the inertial force can be ignored. This means that if a continuous force is applied to the capsule microrobots through an external

magnetic field, it will be driven forward continuously on the plane. It also means that the speed and direction of the capsule microrobots can be changed simply by changing the magnitude, direction and frequency of the magnetic field force. Since the spherical capsule microrobots are driven by a rotating magnetic field, when the magnetic field direction after the magnetization of the magnetic medium is aligned with the external magnetic field, the rotating magnetic field will drive the capsule microrobots to roll. The magnetic induction intensity  $B$  in capsule microrobots can be obtained by the following equation:

$$B = \mu_0(H + M) \quad (8)$$

$$M = \chi \times H \quad (9)$$

where  $\mu_0$  is the vacuum permeability,  $H$  is the external magnetic field strength,  $M$  is the magnetic field strength generated by the magnetization of the medium by  $H$ , and is the magnetic susceptibility. Magnetic objects in the rotating magnetic field are not only affected by the magnetic force but also by the magnetic torque. The magnetic force tends to make the object move along the large magnetic field gradient, and the magnetic torque tends to align the magnetization direction of the object with the direction of the external magnetic field. The magnetic force  $F_m$  and magnetic torque  $m$  of capsule microrobots can be determined by the following equation:

$$F_m = V_m(M \cdot \nabla)B \quad (10)$$

$$\tau_m = V_m MB \quad (11)$$

where  $V_m$  is the volume of the capsule microrobots. Since the magnetic field in the coil wrapped area is a uniform field, the magnetic torque  $\tau_m$  will dominate and the magnetic force  $F_m$  will be ignored.

According to the driving principle of capsule microrobots, Fig. 9(a) shows the experimental situation where a single capsule microrobot can be freely propelled along different trajectory directions under the control of a rotating magnetic field (see Video S2, ESI†). The ellipse in the figure represents the rotation direction of the rotating magnetic field, the black arrow represents the movement direction of the capsule microrobot, and the red arrow represents the movement trajectory of the capsule microrobot. The direction, size and frequency of the rotating magnetic field are all controlled by manually adjusting the duty cycle size and interruption time of the PWM wave. By adjusting the magnetic field, the capsule microrobots are able to roll flexibly in the operating area. In addition, when the direction of the rotating magnetic field changes

Table 2 A comparison of the feasibility of magnetic drive systems

Coil type	Study	System complexity	System costs	System operability	Magnetic field type
Air core type	C. Chen <i>et al.</i> (2019)	Low	Low	Low	Oscillating
	S. Yu <i>et al.</i> (2019)	Low	High	High	rotating
Iron core type	Q. Fu <i>et al.</i> (2018)	Low	High	High	rotating
	M. P. Kummer <i>et al.</i>	High	High	Low	Nonlinear
	S. Schuerle <i>et al.</i> (2013)	High	High	Low	Nonlinear
	J. Nam <i>et al.</i> (2018)	High	High	Low	Combinatorial



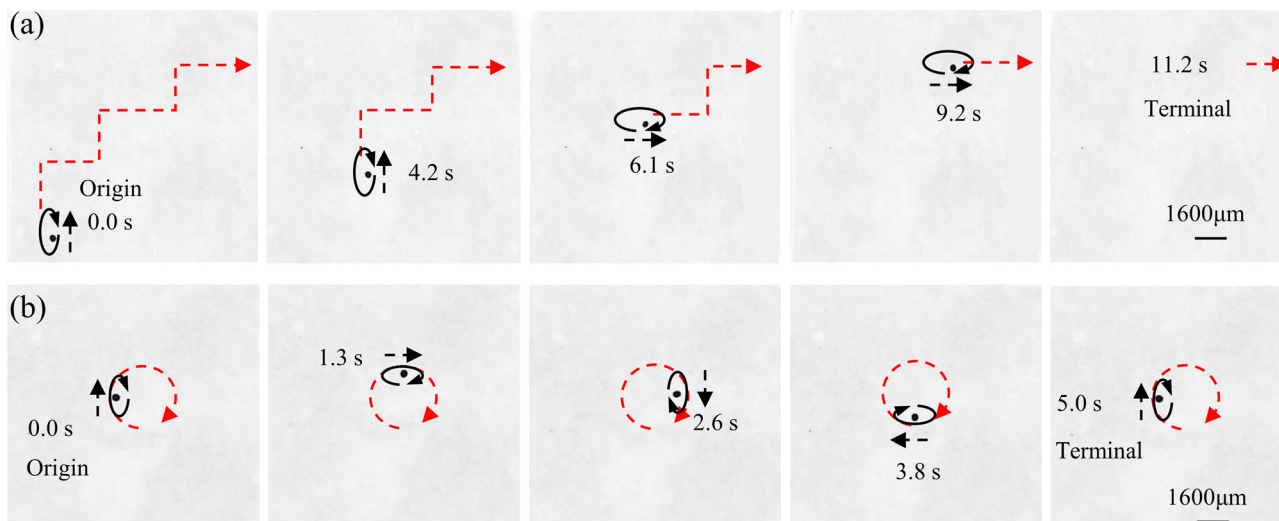


Fig. 9 (a and b) Time-shifted images of capsule microrobots in  $\text{CaCl}_2$  solution under a controlled rotating magnetic field. (a) Trapezoidal trajectory. (b) Circular trajectory.

according to the tangent of the unit circle, as shown in Fig. 9(b), the capsule microrobots can be driven on a circle-like track (rotation frequency 0.2 Hz, rotation angular speed  $1.26 \text{ rad s}^{-1}$ ) (see Video S3, ESI†). In order to realize the propulsion of capsule microrobots in this way, it is necessary to control the magnetic field components of the three axes in the magnetic actuation system, as follows:

$$B_x = \lambda_x B_0 \cos(2\pi f_1 t) \quad (12)$$

$$B_y = \lambda_y B_0 \cos(2\pi f_1 t) \quad (13)$$

$$B_z = B_0 \sin(2\pi f_1 t) \quad (14)$$

$$\lambda_x^2 + \lambda_y^2 = 1 \quad (15)$$

$$\tan \theta = \frac{\lambda_y}{\lambda_x} \quad (16)$$

where  $\lambda_x$  and  $\lambda_y$  are the magnetic field adjustment coefficients in the X and Y directions, respectively. The values can be finely adjusted by adjusting the duty cycle of the PWM wave, which is mainly used to control the rotation direction of the rotating magnetic field in the x-y plane. The angle is determined by  $\theta$ , and  $f_1$  is the frequency of the rotating magnetic field. Based on this control method, arbitrary rolling and smooth steering of capsule microrobots on a plane are achieved. The experimental results show that the capsule microrobots can operate freely under the developed magnetic drive system, and the response delay time is almost 0.0 s.

### 3.4 Motion performance of capsule microrobots

Speed and targeting accuracy of capsule microrobots will be key factors for patients to receive effective treatment. To better simulate the motion performance of the capsule microrobots in blood vessels, the kinetic properties at different frequencies, field strengths and motion regimes are investigated. The capsule microrobots are dispersed in a square container full of  $\text{CaCl}_2$  solution, and the smooth PMMA plate is bonded by the

epoxy resin to form the monolithic pattern of the container, which is driven under a rotating magnetic field ( $H(t) = H_R [\lambda_x \cos(\omega_R t) e_x + \lambda_y \cos(\omega_R t) e_y + \sin(\omega_R t) e_z]$ ) in the X-Y plane.  $H_R$  is the size of the rotating magnetic field,  $\omega_R$  is the angular frequency of the rotating magnetic field. The magnetic torque  $\tau_m = \mu_0(m \times H_R)$  the capsule microrobots to roll at an average angular velocity  $\omega$ . Fig. 10 shows the force of the capsule microrobots moving along the smooth plane driven by the x-z rotating magnetic field. The rotational motion of capsule microrobots not only generates the friction force forward  $F_f$ , but also the resistance force backward  $F_d$  and the liquid resistance moment  $\tau_l$ .

When approaching the bottom plane, the increase of the viscosity of the capsule microrobots on the solid surface will lead to the increase of the friction force, and the liquid resistance moment will be balanced by the magnetic torque  $\tau_m$ . The unbalanced resistance in the forward direction is the fundamental cause of the rolling of the capsule microrobots on the substrate. And when the angular velocity  $\omega(2\pi f)$  is lower than the out-of-step angular velocity  $\omega_s(2\pi f_s)$ , the capsule microrobots will rotate synchronously with the magnetic field and reach the peak at  $\omega_s$ . When  $\omega$  is higher than the out-of-step angular velocity  $\omega_s$ , the capsule microrobots will no longer

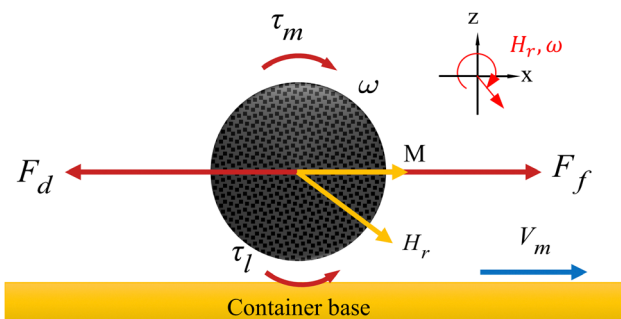


Fig. 10 Force analysis of capsule microrobots on a smooth surface.

synchronize with the rotating magnetic field due to the sharp increase in the viscous drag moment. Fig. 11(a) shows the variation trend of the motion velocity of capsule microrobots under different magnetic field intensities and frequencies. When a certain magnetic field intensity is applied, the advance speed of the capsule microrobots will increase linearly with the increase of frequency. When the magnetic field strength is 8.2 mT (supply voltage 12 V), the out of step frequency of the capsule microrobots is 2 Hz ( $12.57 \text{ rad s}^{-1}$ ) and reaches the maximum rolling speed of  $2353 \mu\text{m s}^{-1}$ . When the magnetic field strength is 14.4 mT (24 V), the out of step frequency of the capsule microrobots is 2.4 Hz ( $15.08 \text{ rad s}^{-1}$ ) and reaches the maximum rolling speed of  $3077 \mu\text{m s}^{-1}$ . When the magnetic field strength is 16.3 mT (36 V), the out of step frequency of the capsule microrobots is 2.6 Hz ( $16.34 \text{ rad s}^{-1}$ ) and reaches the maximum rolling speed of  $3418 \mu\text{m s}^{-1}$ . With the further increase of frequency ( $\omega > \omega_s$ ), the rolling speed of the capsule microrobots begin to decrease and the phenomenon of jitter appeared. It is worth noting that with the doubling of the input voltage of the coil, the intensity of the magnetic field and the out-of-step frequency of the capsule microrobots did not double, but tended to slow down with the increase of the voltage (Fig. 11(b)). The reason may be that the diameter of the coil

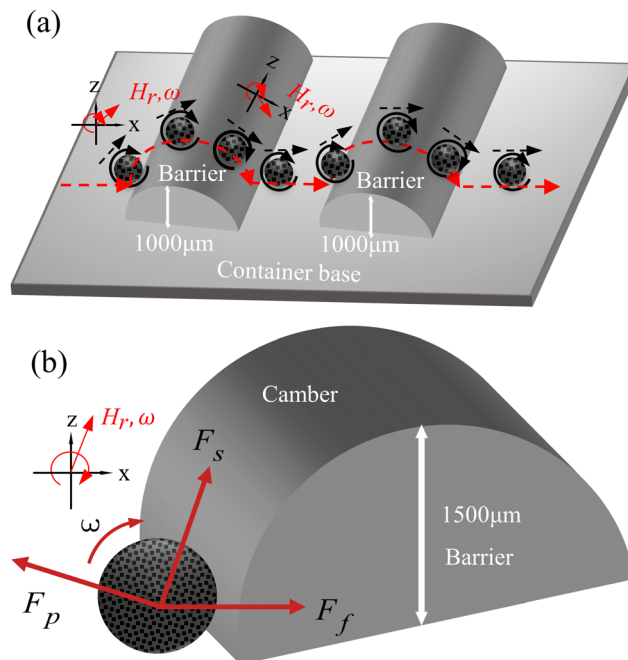


Fig. 12 (a) The shape and size of the obstacle. (b) Force analysis of capsule microrobots during obstacle crossing (base friction  $F_f$ , slope friction  $F_s$ , and fluid pressure  $F_p$ ).

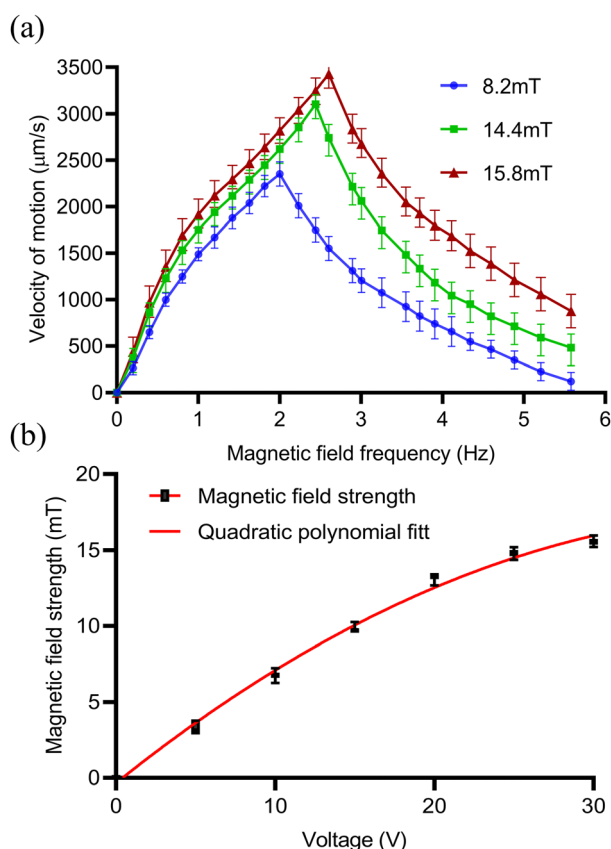


Fig. 11 (a) The relationship between the moving speed  $v$  and the driving frequency  $f$  of the capsule microrobot under a rotating magnetic field in the  $x$ - $z$  plane. (b) The relationship between the strength of the magnetic field generated by a coil and the voltage in a control system at room temperature.

affects the size of the magnetic field produced by the coil, which limits the threshold of the coil current and causes the coil to overheat. These results show that the capsule microrobot has a very high moving speed in a low Reynolds number environment, and can reach a moving speed of  $800 \mu\text{m s}^{-1}$  at a low frequency of 0.4 Hz, and the speed can be continuously adjusted by controlling the frequency of the magnetic field. In addition, the strength of the magnetic field can be adjusted by voltage to accommodate liquid environments with different resistances.

Meanwhile to further simulate the actual motion state of capsule microrobots in blood vessels, the laser sculpting technique and epoxy adhesive are used to construct simulated transport channels and obstacles on the basis of the vessel. The overall channel is M type, 2 mm wide and  $90^\circ$ – $180^\circ$  bends are set in the middle, continuous barrier height of  $1000 \mu\text{m}$  and  $30^\circ$ – $45^\circ$  slope (Fig. 12(a)). From the force analysis during the barrier-crossing process of the capsule microrobots (Fig. 12(b)), it is known that rotation during its advancing process results in an uneven flow of fluid, which in turn leads to an increase in the pressure difference between the upper and lower pressure of the capsule microrobots during its movement. Therefore, under the joint action of the base friction  $F_f$ , the slope friction  $F_s$ , and the fluid pressure  $F_p$ , the capsule microrobots successfully crossed the obstacle. Fig. 13 and Fig. 14 respectively show the time-shift images of the capsule microrobots passing through the microchannel (see Video S4, ESI†) and successfully climbing over obstacles (see Video S5, ESI†) by rolling under the magnetic field of 14 mT and 2.4 Hz. In addition, as shown in Fig. 15, we also studied the influence of the magnetic powder content on the motion behavior of the capsule microrobots.

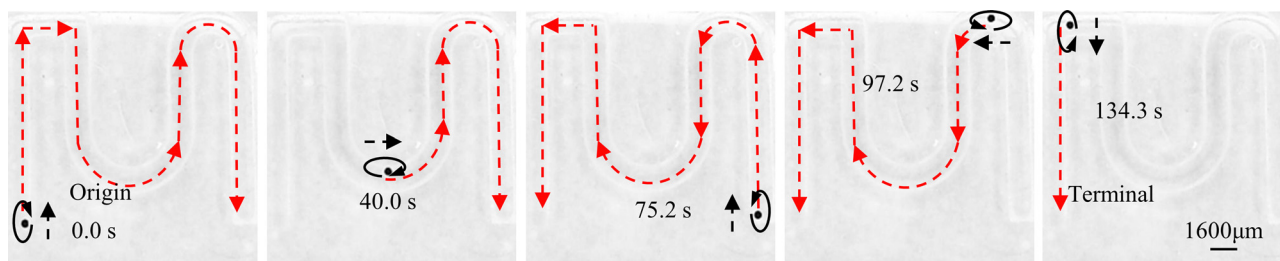


Fig. 13 Time-shifted images of capsule microrobots targeting delivery in simulated vascular microchannels.

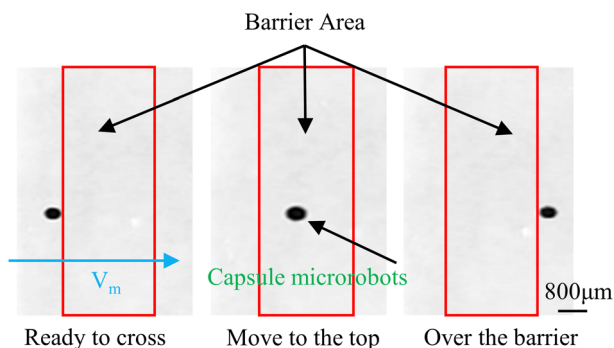


Fig. 14 Time-shifted images of capsule microrobots crossing obstacles.

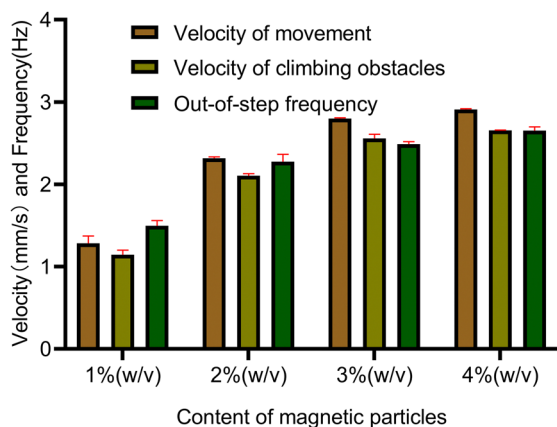


Fig. 15 Motion performance of capsule microrobots with different magnetic particle contents.

As can be seen from the figure, with the increase of the magnetic powder content, the maximum forward speed, the fastest climbing speed and out-of-step frequency of the capsule microrobots all increased, but the increasing trend gradually slowed down. It is speculated that the magnetic powder content in the capsule microrobots of the current size has reached saturation. Therefore, controlling the magnetic powder content will effectively improve the motion behavior of the capsule microrobots. The experimental results show that the capsule microrobots can reach the destination accurately along the predetermined trajectory in the low Reynolds number environment, and has the ability to climb over a single large obstacle and continuously over multiple obstacles.

## 4 Conclusions

In this study, a hydrogel-based capsule microrobot is prepared from a three-coaxial microfluidic chip, with adjustable size ranging from 230  $\mu\text{m}$  to 530  $\mu\text{m}$  and driven by a developed three degree of freedom magnetic drive system. The formation mechanism of three phases: plug phase, bullet phase and droplet phase, which occur in the preparation of capsule microrobots is modeled and analyzed. The results show that the size and shape of the capsule microrobots can be easily controlled by adjusting the flow rate ratio of two phases in the microfluidic chip, and the prepared capsule microrobots have good surface quality and sensitive magnetic response. In addition, the developed three degrees of freedom magnetically driven system can produce an effective driving magnetic field. The simulation and analysis results show that the system can generate a uniform flux density in the operating area of 30 mm  $\times$  30 mm  $\times$  20 mm, and the magnetic field frequency is continuously adjustable from 0 to 111 Hz. Moreover, the coil drive circuit in the system is composed of MOSFET, IR2104 and other switch components, which greatly reduces the complexity and cost of the drive system. In order to verify the feasibility of targeted drug delivery of the capsule microrobot in the blood vessel, the motion process of the capsule microrobots in the blood vessel microchannel is simulated, the relationship between the motion performance of the capsule microrobots and the magnetic field is studied, and the dynamic performance of the capsule microrobot during the movement process is analyzed. The experimental results show that in the simulated vascular microchannel, the capsule microrobot can reach the destination along the predetermined trajectory, and has a high speed of 3077  $\mu\text{m s}^{-1}$  and can continuously climb over a high 1000  $\mu\text{m}$  30°–45° slope obstacle under a magnetic field of 2.4 Hz and 14.4 mT. The capsule microrobots have the characteristics of easy preparation, low cost, sensitive response, and precise positioning, which is expected to become a new tool for intravascular drug targeting and expand the application of microrobots in the biomedical field. Future work will use the above methods for automatic navigation and drug delivery of capsule microrobots.

## Conflicts of interest

There are no conflicts to declare.



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